

CSC311 Final Project Overview



- Background and Task
- Dataset and Starter Code
- Inspecting a Baseline Model
- Overview of Different Approaches

- Massive Open Online Courses: KhanAcademy, Coursera



Khan Academy

coursera

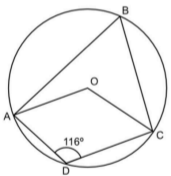
- **Question:** How can we personalize education in MOOCs?
- **Idea:** Measure students' understanding of the material by introducing a personalized assessment component.

Background and Task

Why a personalized assessment component?

- Each question can be designed to highlight a misconception.
- Lets us adjust the level of difficulty.

What is the size of the obtuse angle AOC ?



A

B

C

D

116°

116°

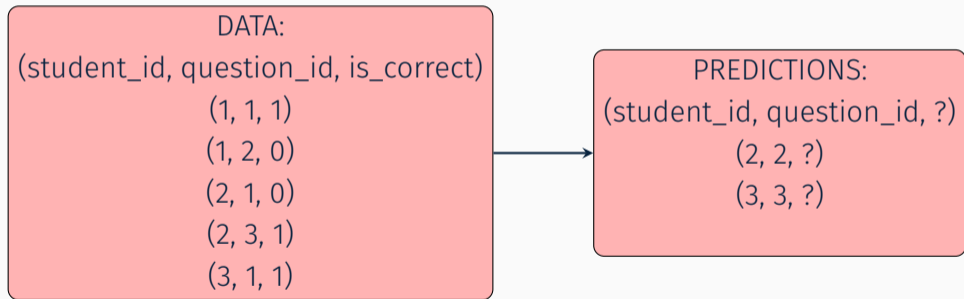
116°

116°

Figure 1: An example diagnostic question [1].

Background and Task

Goal: Build a predictive model to predict whether a student will answer a given question correctly, given answers to past questions, and other students' answer.



Background and Task

- **Part A:** Try out established methods you've covered in class.
- **Part B:** Improve on the existing methods.

The project has an (ungraded) Kaggle-based competition component!

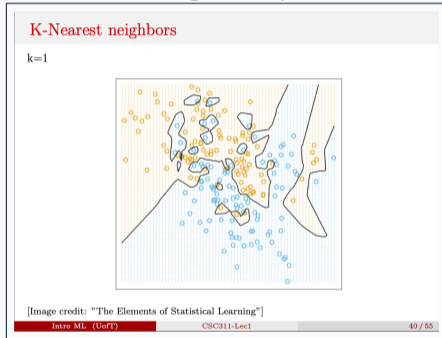
Lets switch to the Colab notebook.

- We'll inspect the dataset and the starter code.
- We'll build a baseline model and make a Kaggle submissions with it.

- The dataset also contains metadata including 1) date of birth 2) gender 3) eligibility for "pupil premium".
- Not used in part A, but might be relevant for part B.

Part A: Testing out various models, under the guidance of the project handout.

- Given a notion of similarity, classify a test example by looking at the most similar training examples to it.



- Similarity in terms of student, or similarity in terms of question?

What to analyze?

- **Notion of similarity:** Compare student-based similarity with item-based similarity.
- **Choice of hyperparameter:** In both cases, which value of k works better?
- **Limitations:** What are the limitations of using KNN in this context?

- **Goal:** Assign a probability that a student will answer a given question correctly.
- **Simplifying assumption 1:** Correct answer probability depends on two parameters:
 - ▶ θ_i : i th Student ability
 - ▶ β_j : j th question difficulty.
- **Simplifying assumption 2:** Correct answer probability increases monotonically with θ_i and $-\beta_j$.

- **Model:**

$$p(c_{ij}|\theta_i, \beta_j) = \text{sigmoid}(\theta_i - \beta_j) = \frac{\exp(\theta_i - \beta_j)}{1 + \exp(\theta_i - \beta_j)}$$

- **How to train:** Maximize data log likelihood under model parameters!
- **Connection to logistic regression:** Think about how this model relates to logistic regression!

- Possible extensions¹

$$p(c_{ij}|\theta_i, \beta_j) = c + [1 - c] * \text{sigmoid}(k_j(\theta_i - \beta_j))$$

- c : Probability of getting question right via. random guess.
- k_j : How steep the sigmoid looks (i.e. how discriminative the question is”)

¹reference link

Can you think of other real-life problems where Item Response Theory can be applied?

- healthcare
- recommender systems
- ?

What to analyze?

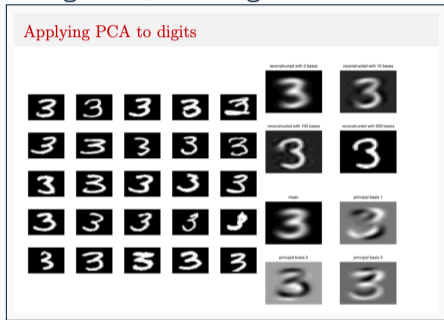
- **Log likelihood:** Derive the log likelihood and inspect its form.
- **Inspecting the results:** Using the trained θ and β vectors, plot how the probability of a correct answer changes as “student ability” varies. Why does the plot look the way it does? What can we learn from the plot?

We consider two options in the handout:

- Singular Value Decomposition
- Alternating Least Squares

Matrix Factorization

- Using PCA (via. Singular Value Decomposition)



- Goal:** Complete the matrix using the top principal components.
- Question:** Using KNN to fill in missing values requires us to specify whether we're using question or student similarity. Is there such a distinction for SVD?

Matrix Factorization

- **Alternating Least Squares:** Assign each student and question a vector. Train the values of these vectors so that a high dot product between student i and question j 's vectors implies a correct answer.
- **Objective:**

$$\min_{U,Z} \frac{1}{2} \sum_{(n,m) \in \mathcal{O}} (C_{nm} - \mathbf{u}_n^T \mathbf{z}_m)^2 \quad (1)$$

- **How to train U and Z:** Loop over each \mathbf{u}_n and \mathbf{z}_m , and solve (1) assuming all other terms are fixed. Repeat until convergence.

- How to train U and Z matrices:

1. Initialize U and Z.

2. repeat until “convergence”:

3. **for** $n = 1, \dots, N$ **do**

4. $\mathbf{u}_n = (\sum_{j:(n,j) \in \mathcal{O}} \mathbf{z}_j \mathbf{z}_j^\top)^{-1} \sum_{j:(n,j) \in \mathcal{O}} c_{nj} \mathbf{z}_j$

5. **for** $m = 1, \dots, M$ **do**

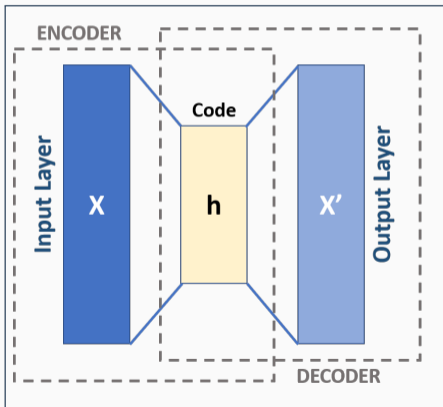
6. $\mathbf{z}_m = (\sum_{i:(i,m) \in \mathcal{O}} \mathbf{u}_i \mathbf{u}_i^\top)^{-1} \sum_{i:(i,m) \in \mathcal{O}} c_{im} \mathbf{u}_i$

What to analyze?

- **Limitations of SVD:** In what way is SVD limited in this context?
- **Affect of hyperparameters on ALS performance:** How does the choice of hyperparameters affect the training dynamics and the final accuracy?
- **Alternative objectives:** Can we change the loss function so that the problem is treated as a binary classification problem?

Neural Network

- **Learning a “student autoencoder”**: Represent each student by a vector of length $N_{questions}$. Train an autoencoder to project the student vectors into a low dimensional space where *similar students are clustered together*.



- Learning objective:

$$\min_{\theta} \sum_{\mathbf{v} \in \mathcal{S}} \|\mathbf{v} - f(\mathbf{v}; \theta)\|_2^2 \quad (2)$$

- Network architecture: Two layer, fully connected network.

What to analyze?

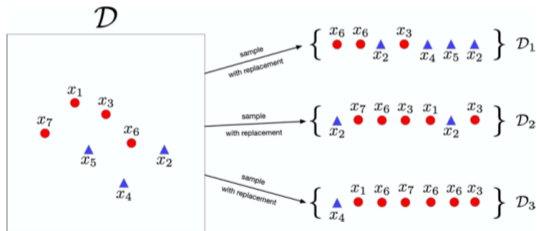
- **Bottleneck width:** How does the dimensionality of the bottleneck layer affect the results?
- **Effect of regularization:** How does regularizing the network weights by penalizing their Frobenius norm affect the results?

- Try to improve stability and accuracy by:
 1. Select 3 models (same or different).
 2. Generate three alternative datasets by bagging.
 3. Train the models on the corresponding bagged dataset.
 4. Pick the average of the 3 models as the final decision on the test set.

Ensemble

- Reminder about bagging:

Bagging



in this example $n = 7$, $m = 3$

What to analyze:

- How did using an ensemble affect the accuracy?
- How did it affect the stability of the model?

This part is more open ended - don't forget to explain your approach in enough detail that a reader of your report can faithfully reproduce your results.

If we have time remaining, we can either look deeper into the starter code, or answer student questions.