

CL-DPS: A Contrastive Learning Approach to Blind Inverse Problem Solving via Diffusion Posterior Sampling

Linfeng Ye, Pallavi Ferrao

Affiliations, University of Toronto

Motivation



Figure 1. Results of blind rotation deblurring, a challenging **non-linear** inverse problem: (a) ground truth image, (b) rotation blurred measurement, and restored images using (c) BlindDPS [11], (d) FastEM [35], (e) GibbsDDRM [41], and (f) CL-DPS (ours). Notably, all methods fail catastrophically except for CL-DPS.

Real-world applications frequently involve blind inverse problems with unknown measurements. Existing DM-based methods for blind inverse problems are limited, primarily addressing only linear measurements and thus lacking applicability to real-life scenarios that often involve non-linear operations. To overcome these limitations, we propose CL-DPS, a novel approach based on contrastive learning for solving blind inverse problems via diffusion posterior sampling. We train an auxiliary deep neural network (DNN) offline using a modified version of MoCo, a contrastive learning technique. This auxiliary DNN serves as a likelihood estimator, enabling estimation of $p(y|x)$ without prior knowledge of the measurement operator, thereby adjusting the reverse path of the diffusion process for inverse problem solving.

Related Work

For non-blind inverse problems, methods such as diffusion posterior sampling (DPS) [1] and pseudo-guided diffusion models [48] leverage Tweedie's formula [2] to approximate the smoothed likelihood. Similarly, singular-value decomposition (SVD)-based techniques [32] are applied for related purposes. Conversely, for blind inverse problems, alongside the approaches discussed in Sec. 1 [3], introduced Blind RED-Dif, an extension of the RED-diff framework [4]. This method employs variational inference to jointly estimate both the latent image and the unknown forward model parameters, addressing the challenges of unknown measurement operators. As a versatile semi-supervised learning framework, contrastive learning learns useful feature representation by clustering positive samples and dispersing negative samples. It achieves great success since instance discrimination has been proposed in [5]. Since then [6, 7] advanced the field by leveraging diverse data augmentation methods and using projection head during the contrastive learning process. [6] used a momentum update mechanism to maintain a negative sample generator, rather than a physical queue of negative examples to reduce the memory consumption.

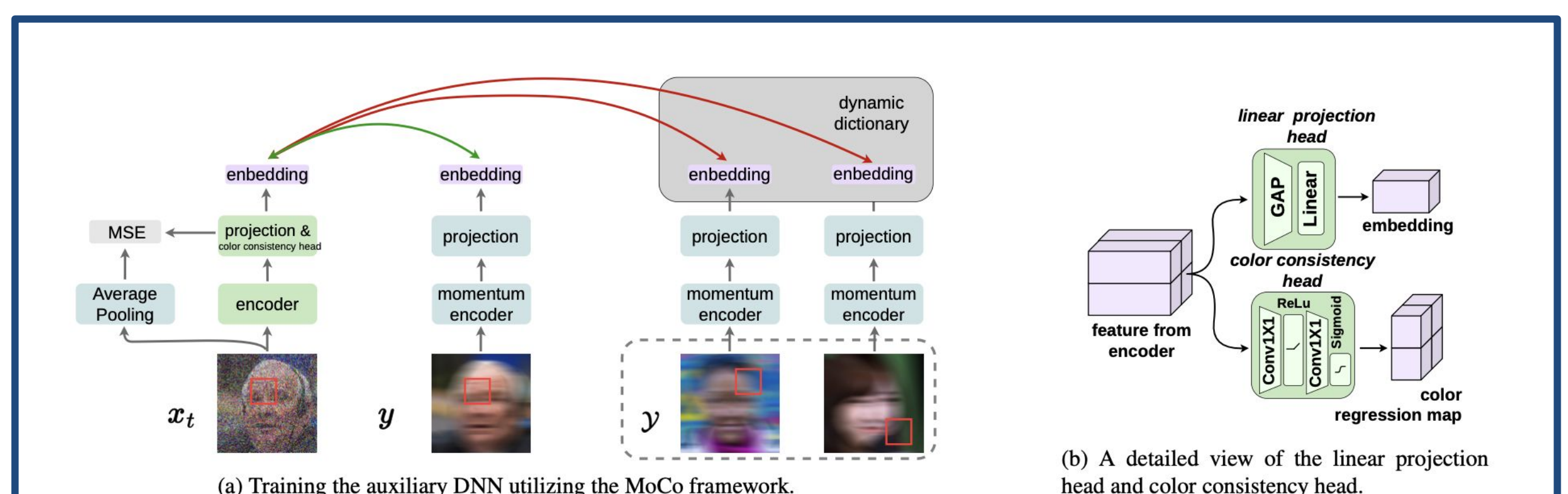
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New Technique

We propose CL-DPS, an inverse problem solver using diffusion models for the blind setting. CL-DPS incorporates an auxiliary DNN, trained using MoCo, to serve as a likelihood estimator. Unlike previous blind solvers, which are limited to recovering images only under linear measurements, CL-DPS is capable of recovering images for both linear and non-linear measurements.

Estimating the posterior $pt(x(t)|y)$ requires an estimation of the likelihood $pt(y|x(t))$. To achieve this, we aim to train an auxiliary DNN offline (prior to applying diffusion models for inverse problem-solving) which is able to estimate the likelihood $pt(y|x(t))$. Note that at this time the measurement parameters ψ are unknown. This auxiliary DNN will then be employed during the diffusion-based inverse problem-solving process to adjust the reverse diffusion path accordingly.



$$\mathcal{L}_{p(y|x_t)} = -\log \frac{\exp(\langle f(x_t), f(y) \rangle / \tau)}{\sum_{\tilde{y} \in \mathcal{Y}} \exp(\langle f(x_t), f(\tilde{y}) \rangle / \tau)}.$$

Experimental Results

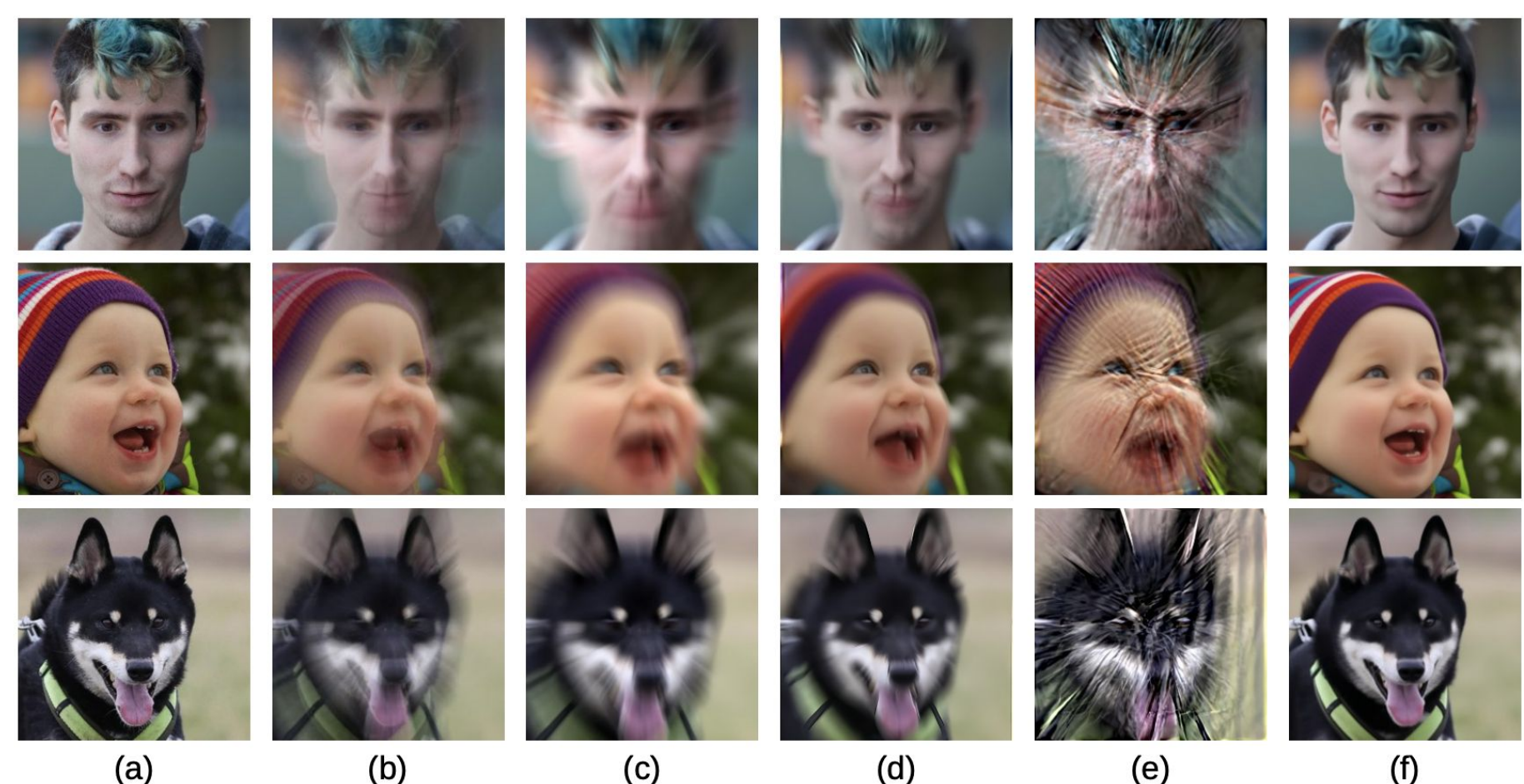


Figure 7. Results of blind zoom deblurring, a challenging **non-linear** inverse problem: (a) ground truth image, (b) zoom blurred measurement, and restored images using (c) BlindDPS [11], (d) FastEM [35], (e) GibbsDDRM [41], and (f) CL-DPS (ours). Notably, all methods fail catastrophically except for CL-DPS.

Method	FFHQ (256 × 256)						AFHQ (256 × 256)					
	Rotation			Zoom			Rotation			Zoom		
	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓
CL-DPS (Ours)	22.74	33.66	0.302	20.68	42.61	0.435	21.46	36.96	0.319	19.63	57.54	0.468
BlindDPS [11]	16.87	343.76	0.552	16.39	292.91	0.780	13.25	200.46	0.674	11.75	279.57	0.607
FastEM [35]	15.96	268.43	0.597	18.68	303.25	0.623	11.57	289.19	0.680	15.60	310.06	0.797
GibbsDDRM [41]	18.43	236.55	0.565	15.45	327.42	0.802	15.24	263.49	0.628	14.57	280.54	0.549

Table 1. **Non-linear** blind inverse problems: Blind rotation and zoom deblurring results on the FFHQ and AFHQ datasets for CL-DPS and benchmark methods. CL-DPS successfully restores the input images with high quality, whereas all other methods fail. **Bold** and underlined values denote the best and second-best results, respectively.

Method	FFHQ (256 × 256)						AFHQ (256 × 256)					
	Motion			Gaussian			Motion			Gaussian		
	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓	PSNR ↑	FID ↓	LPIPS ↓
CL-DPS (Ours)	22.93	32.44	0.157	24.82	26.64	0.348	22.06	42.25	0.280	23.76	20.56	0.225
SelfDeblur [45]	10.83	270.0	0.717	11.36	235.4	0.686	9.081	300.5	0.768	11.53	172.2	0.662
DeblurGANv2 [34]	17.75	220.7	0.571	19.69	185.5	0.529	17.64	186.2	0.597	20.29	86.87	0.523
Pan.10 [44]	15.53	242.6	0.542	19.94	92.70	0.415	15.34	235.0	0.627	21.41	62.76	0.395
BlindDPS [11]	22.24	29.49	0.281	<u>24.77</u>	<u>27.36</u>	0.233	20.92	23.89	0.338	<u>23.63</u>	20.54	<u>0.287</u>
FastEM [35]	<u>24.68</u>	-	0.34	-	-	-	-	-	-	-	-	-
LatentDEM [56]	22.65	-	0.167	-	-	-	-	-	-	-	-	-
GibbsDDRM [41]	25.80	38.71	0.115	-	-	-	22.01	48.00	0.197	-	-	-

Table 2. **Linear** blind inverse problems: Blind motion and Gaussian deblurring results on the FFHQ and AFHQ datasets for CL-DPS and benchmark methods. CL-DPS achieves competitive results compared to other benchmark methods.