# CSC321 Neural Networks and Machine Learning

Lecture 8

March 4, 2020

# Agenda

- Midterm + Logistic
- Generative CNNs
- Autoencoder

Remember that homework 4 is due next week, and project 3 is coming up!

# $\mathsf{Midterm} + \mathsf{Logistics}$

# Midterm

- The midterm was a little long, so we'll grade the midterm out of 27 instead of 30
- The adjustment is not reflect on Markus
  - Markus still computes your grades ouf of 30 points instead of 27
- This brings the average to a bit above the average on Q2/Q3

We made some changes to the grading after the TAs graded on papers to give more part marks. Markus annotations supersedes the hand-written grading.

# Term Marks

Component	Median	Average
Homeworks	87%	82%
Projects	85%	77%
Midterm	60%	60%

Are we overfitting? (i.e. are you trying to memorize the slides without really understanding deeply?)

# **Remark Requests**

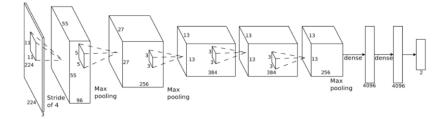
Please read and follow the instructions on Quercus or Markus. Deadline: March 9th, 9pm **Main takeaway**: The tutorials aren't really working for you, even though we're taking a lot of time to develop the materials.

So let's try something else:

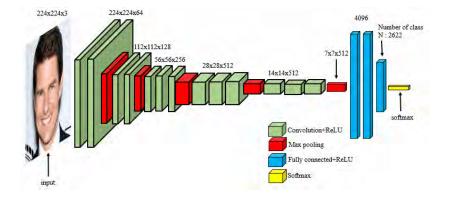
- Hands-on Labs?
- Exam prep questions?
- Bonus quizzes?

# **CNN** Architecture Review

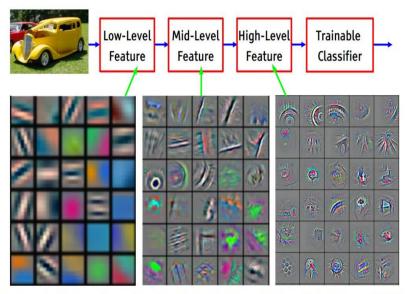
# Review: AlexNet



# Review: VGG



# Review: Convolutional Features



Feature visualization of convolutional net trained on ImageNet from [Zeiler & Fergus 2013]

The visualization shows the patterns in the input space (pixels) that cause the highest activation in a unit in the first conv layer.



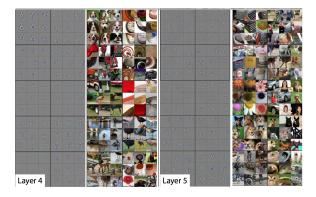
Zeiler & Fergus (2013) Visualizing and Understanding Convolutional Networks https://arxiv.org/pdf/1311.2901.pdf

#### ... second conv layer:



#### ... third conv layer:





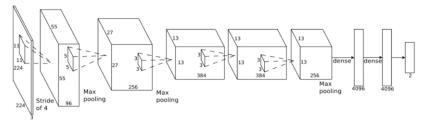
Observations:

- Higher layers look at a larger region of the image (why?)
- Higher layers detect "higher-level" features

# Review: Transfer learning

Practioners rarely train a CNN "from scratch". Instead we could:

- 1. Take a pre-trained CNN model (e.g. AlexNet), and use its features network to compute **image features**, which we then use to classify our own images
- 2. Initialize our weights using the weights of a pre-trained CNN model (e.g. AlexNet)



# Review: Fully Convolutional Networks

Fully convolutional networks do not use any fully connected layers! Instead, use global average pooling.

# Example: Pixel-wise prediction

**Example**: This is an example of a CNN solving a **pixel-wise** prediction problem, i.e. classifying each pixel.

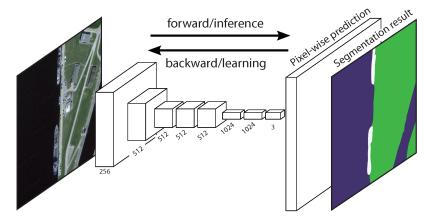


Image from: https://arxiv.org/pdf/1411.4038.pdf

We can solve a problem like pixel-wise prediction by training a neural network that generates an output feature map of size  $H \times W \times C$ .

- $H \times W$  is the size of the original image
- C is the number of classes
- ▶ We have a distribution of classes *C* at each pixel
- Ground truth targets are a set of H × W one-hot vectors (one per pixel)

# Architecture for pixel-wise prediction

### Downsampling

- Reduce the "resolution" of the feature maps (H and W)
- Consolidate information from larger and larger regions of the image to detect higher-level information
- Why? Because the class label of a pixel depends on its surroundings!

#### Upsampling

Going backwards! Can we increase the "resolution" of the feature maps to match the image?

We need to be able to **up-sample** features, i.e. to obtain high-resolution features from low-resolution features

- Opposite of max-pooling OR
- Opposite of a strided convolution

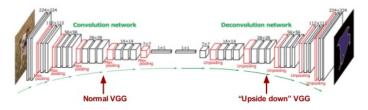
We need an **inverse** convolution – a.k.a a **deconvolution** or **transpose convolution**.

# Architectures with Transpose Convolution

# More than one upsampling layer

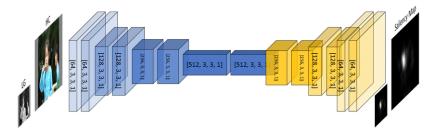
#### DeconvNet:

VGG-16 (conv+Relu+MaxPool) + mirrored VGG (Unpooling+'deconv'+Relu)



Noh et al, "Learning Deconvolution Network for Semantic Segmentation", ICCV 2015

# Fully Convolutional Networks



In theory, this architecture can be used to make predictions for arbitrary sized images. (Why?)

# Transposes Convolutions in PyTorch

```
>>> x = torch.randn(2, 8, 64, 64)
>>> conv = nn.Conv2d(in_channels=8,
... out_channels=8,
... kernel_size=5)
>>> y = conv(x)
>>> y.shape
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```

should get the same shape back!

If we have a convolution c and an transpose convolution t with the same kernel size, then applying t(c(x)) on a tensor x will yield another tensor with the same shape.

>>> convt(conv(x)).shape == x.shape

# Inverse Convolution + Padding

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Also gets the same shape back!

# Inverse Convolution + Stride

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## Inverse Convolution + Stride

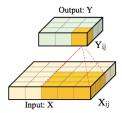
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>>> x = convt(y)
>>> x.shape
```

... almost the same shape ...

### Transpose Convolution Layer



Output: Y Input: X' (upsample x2) Xii

(a) Convolutional layer: the input size is the convolution is performed with stride S = 1and no padding (P = 0). The output Yis of size  $W_2 = H_2 = 3.$ 

(b) Transposed convolutional layer: input size  $W_1 = H_1 = 5$ ; the receptive field F = 3;  $W_1 = H_1 = 3$ ; transposed convolution with stride S = 2; padding with P = 1; and a receptive field of F = 3. The output Yis of size  $W_2 = H_2 = 5$ .

Figure 1: https://www.mdpi.com/2072-4292/9/6/522/htm

More at https://github.com/vdumoulin/conv arithmetic

# **Output Padding**

# What you need to know

- We won't ask you about transpose convolutional arithmetics (i.e. computing the forward/backward pass of a transpose convolutional layer)
- You should know what the trasnpose convolution setting should be to "invert" a convolution operation (we'll need this for autoencoders later today)
- You should know the difference between the output\_padding and padding setting

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An image autoencoder has two components:

- 1. An **encoder** neural network that takes the image as input, and produces a low-dimensional embedding.
- 2. A **decoder** neural network that takes the low-dimensional embedding as input, and reconstructs the image.

Idea: A good, low-dimensional representation should allow us to reconstruct everything about the image.

The components of an autoencoder

#### Encoder:

- Input = image
- Output = low-dimensional embedding

### Decoder:

- Input = low-dimensional embedding
- Output = image

### Why autoencoders?

Dimension reduction:

- find a low dimensional representation of the image
- Image Generation:
  - generate new images not in the training set
  - (Any guesses on how we can do this?)

Autoencoders are considered a generative model.

### How to train autoencoders?

### Loss function:

- How close were the reconstructed image from the original?
- Mean Square Error Loss: look at the mean square error across all the pixels.
- Optimizer:
  - Just like before!
- Training loop:
  - Just like before!

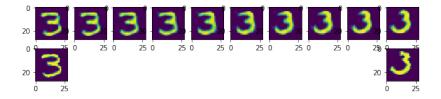
Let's train an autoencoder for MNIST

# Structure in the Embedding Space

The dimensionality reduction means that there will be **structure** in the embedding space.

- The distances in the embedding space is meaningful (more meaningful than in the input space)
- We can look at clusters in the embedding space
- We can generate

Interpolating in the Embedding Space



- $Q{:}\ Can$  we pick a random point in the embedding space, and decode it to get an image of a digit?
- A: Unfortunately not necessarily. Can we figure out why not?

Overfitting can occur if the size of the embedding space is too large.

If the dimensionality of the embedding space is small, then the neural network needs to map similar images to similar locations.

If the dimensionality of the embedding space is **too large**, then the neural network can simply memorize the images!

Q: Why do autoencoders produce blurry images? Hint: it has to do with the use of the MSELoss.