

# Matting and Compositing



Salvador Dali, Couple with Their Heads Full of Clouds

CSC320: Introduction to Visual Computing  
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Many slides from  
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# Compositing in Movies: Combining background and Foreground



Matting and Compositing in *King Kong* (2005)

# Compositing for *Titanic* (1997)



Plate 94 A composite image created for the film *Titanic*.



Plate 95 An element that features a miniature of the ship.



Plate 96 An intermediate element that contains computer-generated water and an animated sky.



Plate 97 A computer-generated dock element.

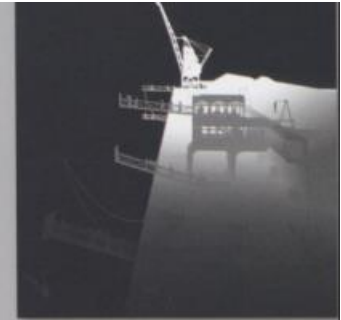


Plate 98 An element used to control the atmosphere on the dock.



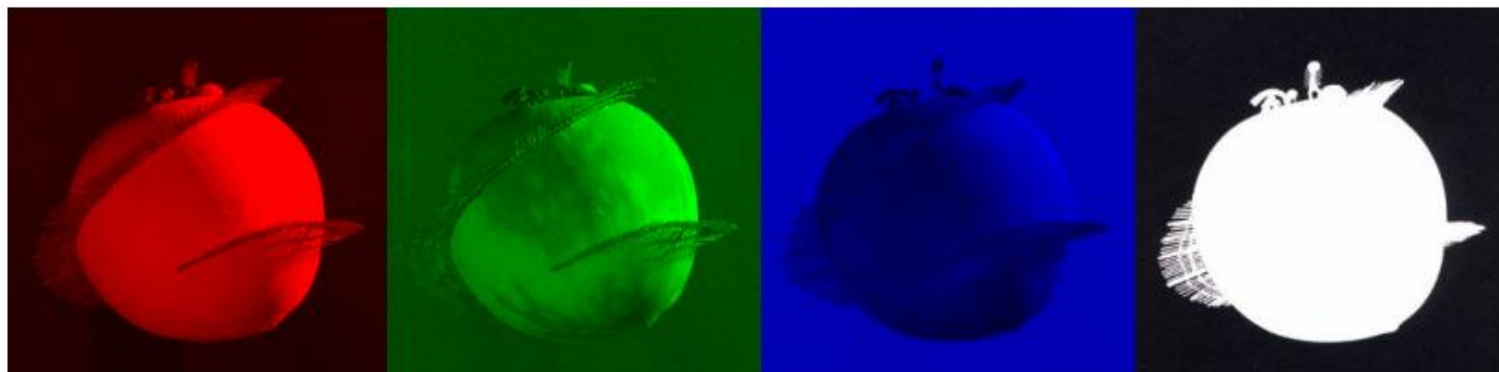
Plate 99 An element featuring people that were on the ship.



Plate 100 An element featuring a group of people on the dock.

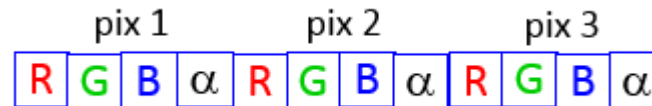
# Key Idea: Adding an Alpha Channel

- $\alpha$ : 1 means opaque, 0 means transparent



# The Alpha Pixel Component

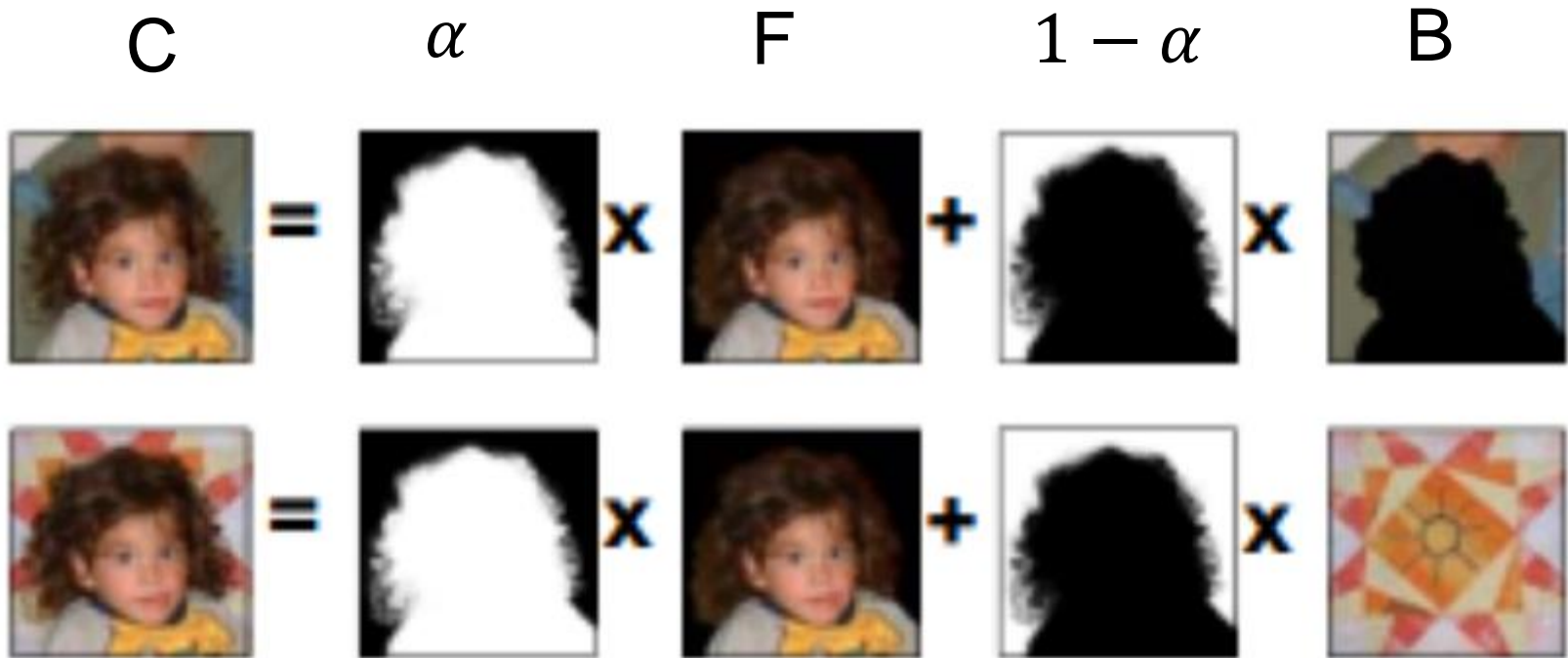
Three rather than 4 components for each pixel:



- The fourth component is the alpha component
  - Value between 0 and 1
  - Defines pixel “transparency”

$$\begin{pmatrix} R \\ G \\ B \\ \alpha \end{pmatrix} := \begin{pmatrix} \alpha R \\ \alpha G \\ \alpha B \end{pmatrix}$$

# Compositing: background replacement



**Fundamental equation:**

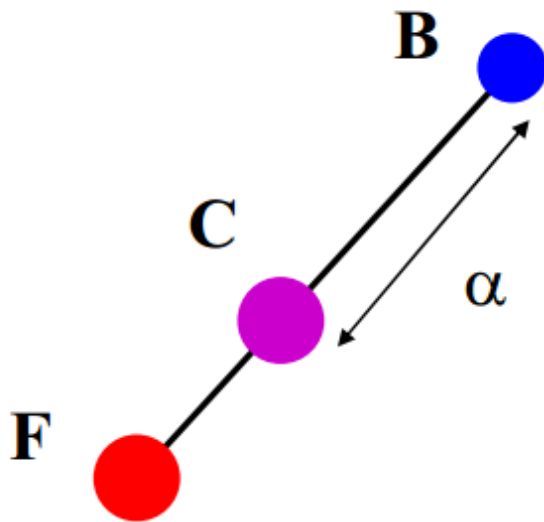
$$C = \alpha F + (1 - \alpha) B$$

# Compositing

- *The variables of interest:*

**Given the foreground color  $F=(F_r, F_g, F_b)$ , the background color  $(B_r, B_g, B_b)$  and  $\alpha$  for each pixel**

- **The compositing operation is:  $C=\alpha F+(1-\alpha)B$**



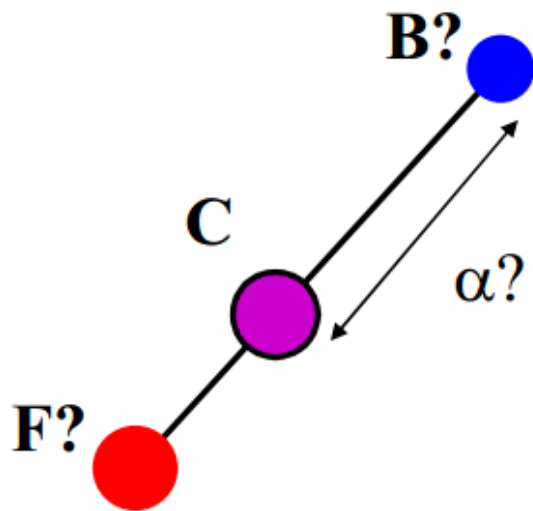
**Note:  $0 \leq \alpha \leq 1$   
interpolates a color  $C$  on  
the line between  $F$  and  $B$**

# The Matting Problem

- **Inverse problem:**

**Assume an image is the  $\alpha$ -composite of a foreground and a background**

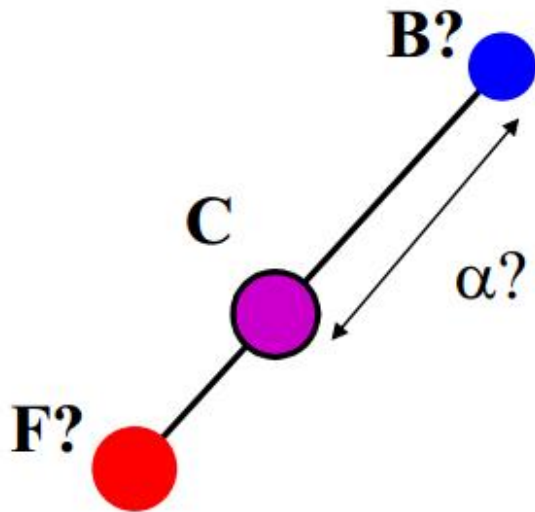
- **Given an image color  $C$ , find  $F$ ,  $B$  and  $\alpha$  so that  $C = \alpha F + (1 - \alpha)B$**





# Why is Matting Hard?

- $C = \alpha F + (1 - \alpha)B$       *Note: this is for every pixel*
- **How many unknowns, how many equations?**



$$C_r = \alpha F_r + (1 - \alpha) B_r$$

$$C_g = \alpha F_g + (1 - \alpha) B_g$$

$$C_b = \alpha F_b + (1 - \alpha) B_b$$

- **7 unknowns, 3 equations**
- **Bottom line: we need fewer unknowns  
(or more equations)**

# Solution 1: Known Background

- If the pixel matches the background,  $\alpha = 0$ .  
Otherwise,  $\alpha = 1$
- Blue or green background colours typically used



# Solution 1: Known Background

- Downsides:
  - Background colour must be known very accurately and must be constant
  - Foreground subject cannot have pixels similar to the background
  - No transparent objects/transitions between foreground and background (fractional alpha)



# Solution 2: Blue Screen Matting

- Idea: assume there is no blue in the foreground, and only blue in the background
  - Note: because lighting could vary, it's not the case that the background is always  $(0,0,1)$  (could be  $(0,0,0.5)$ )
- Developed by Petro Vlahos (Technical Academy Award 1995) (among others)



# Digital Blue Screen Matting

- Assume no blue in foreground, only blue in background:

$$- F_b = 0, B_r = B_g = 0$$

- Equations simplify to

$$C_r = \alpha F_r$$

$$C_g = \alpha F_g$$

$$C_b = (1 - \alpha) B_b$$

$$C_r = \alpha F_r + (1 - \alpha) B_r$$

$$C_g = \alpha F_g + (1 - \alpha) B_g$$

$$C_b = \alpha F_b + (1 - \alpha) B_b$$

- 3 equations with 3 unknowns => can figure out  $\alpha$  for every pixel

# Blue Screen Matting

- Downsides:
  - The assumption of no blue in foreground is very restrictive
    - People with blue eyes have the background as their eyes
    - No white, gray, pastel colours allowed either
  - Blue/Green Spilling: light reflected off the background hits the foreground, making it be blue/green

# Blue spilling (note the fringes)



**Plate 52** (b) *The element placed into the scene without spill suppression. Note the blue fringes on the subject, particularly in the hair.*

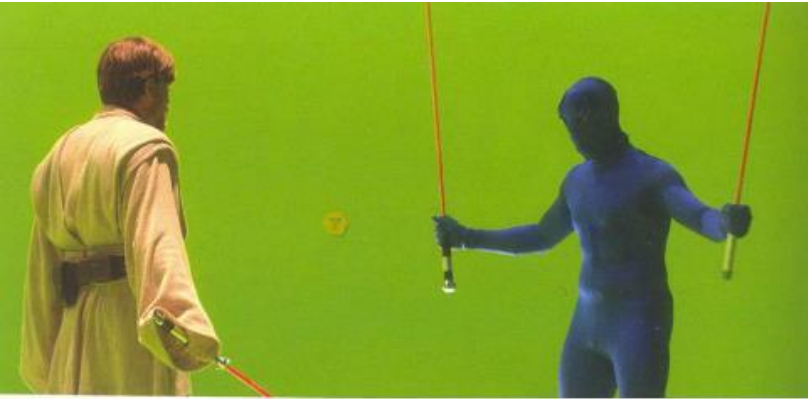
# Blue spilling (note blue reflected on wings)



*Figure 3. Firefox Blue Spill Matte Series 1, original shot. Note blue reflected on wing surfaces from bluescreen -- undesirable but unavoidable on such surfaces.*



# Bluescreen in Star Wars (2005)



# Solution 3: Assume Gray or Skin-Coloured Foreground

- **Generalize a little**

If we assume object is grey:

$$F_r = F_g = F_b = F, B_r = B_g = 0$$

- **Equations simplify to**

$$C_r = \alpha F$$

$$C_g = \alpha F$$

$$C_b = \alpha F + (1 - \alpha) B_b$$

- **Similar simplification if skin color:**

$$F \sim (k, k/2, k/2)$$

# Triangulation Matting: Adding More Equations

- Take a picture of the foreground in front of two different background
  - The foreground colour and the alpha are the same
  - Only the background is different

$$C_r = \alpha F_r + (1 - \alpha) B_r$$

$$C_g = \alpha F_g + (1 - \alpha) B_g$$

$$C_b = \alpha F_b + (1 - \alpha) B_b$$



# Triangulation Matting: Adding More Equations

$$C_{r1} = \alpha F_r + (1 - \alpha) B_{r1}$$

$$C_{g1} = \alpha F_g + (1 - \alpha) B_{g2}$$

$$C_{b1} = \alpha F_b + (1 - \alpha) B_{b2}$$

$$C_{r2} = \alpha F_r + (1 - \alpha) B_{r2}$$

$$C_{g2} = \alpha F_g + (1 - \alpha) B_{g2}$$

$$C_{b2} = \alpha F_b + (1 - \alpha) B_{b2}$$

**6 equations in 4 unknowns**

# Triangulation Matting Examples

