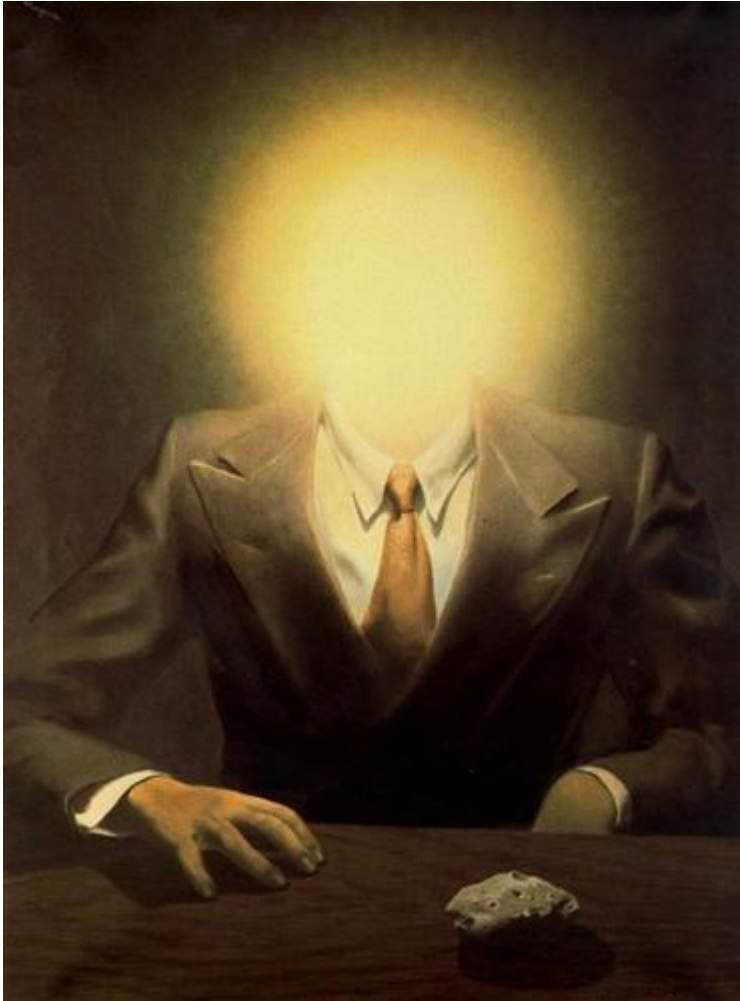


# Flash/No Flash and Dark Flash Photography



René Magritte, "The Pleasure Principle"

CSC320: Introduction to Visual Computing

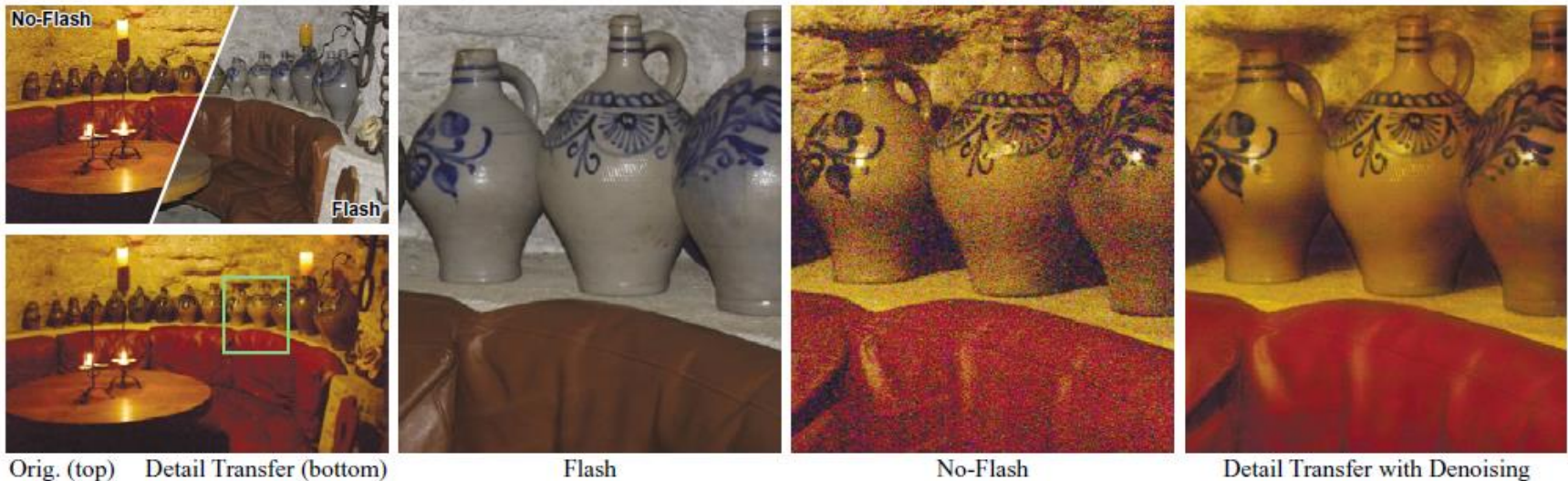
Michael Guerzhoy

# Digital Photography with Flash and No-Flash Image Pairs

Georg Petschnigg  
Richard Szeliski

Maneesh Agrawala  
Michael Cohen  
Microsoft Corporation

Hugues Hoppe  
Kentarō Toyama

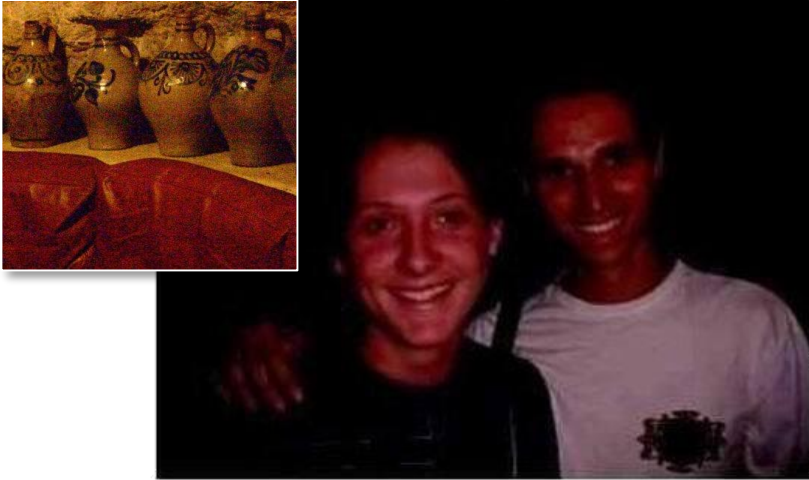


SIGGRAPH 2004

SIGGRAPH (**S**pecial Interest **G**roup on **GRAPH**ics and Interactive Techniques) is the premier conference where new results on graphics and related fields are presented

# To flash or not to flash?

PHOTO TAKEN WITHOUT FLASH



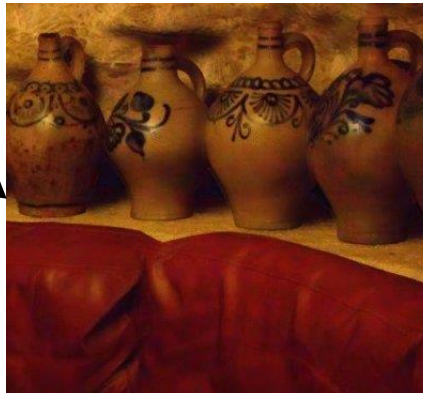
- Natural lighting
- Low signal-to-noise ratio (SNR)
- Loss of details
- Longer exposure – motion blur

PHOTO TAKEN WITH FLASH



- Harsh, unnatural lighting
- High SNR
- More details
- May cause unwanted artifacts (red eye, shadows, specularities)

# Idea: combine both to get the best of both worlds



# Acquiring a flash/no flash photo pair

- Focus on the subject, lock camera settings
- Capture ambient image A
- Enable flash, capture flash image with minimal exposure time

# Bilateral Filter

- Average pixels that are spatially close AND have similar intensities
- Implement edge-preserving smoothing

$$A_p^{Base} = \frac{1}{k(p)} \sum_{p' \in \Omega} g_d(p' - p) g_r(A_p - A_{p'}) A_{p'}$$

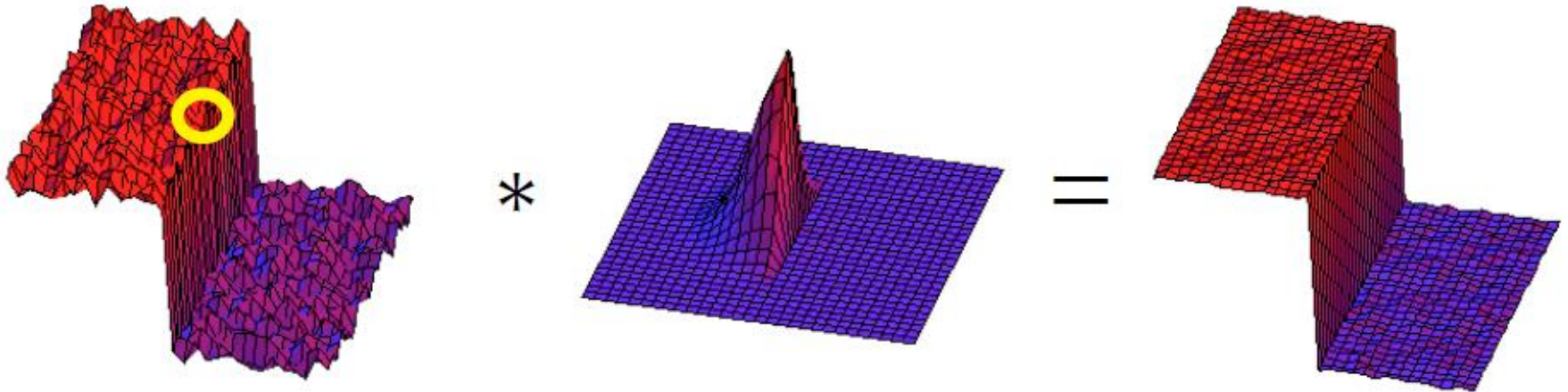
(k(p) normalizes filter sum to 1)

The diagram shows the equation for the bilateral filter. Red arrows point from text labels to specific parts of the equation: 'spatial kernel' points to the  $g_d$  term, 'intensity kernel' points to the  $g_r$  term, 'spatial distance' points to the  $p' - p$  argument of  $g_d$ , and 'intensity difference' points to the  $A_p - A_{p'}$  argument of  $g_r$ .

- Away from edges, behaves like regular Gaussian smoothing
- Close to edges, the Gaussian kernel gets truncated
- Effect: this smoothing does not cross edges

$$A_p^{Base} = \frac{1}{k(p)} \sum_{p' \in \Omega} g_d(p' - p) g_r(A_p - A_{p'}) A_{p'}$$

spatial kernel
intensity kernel  
spatial distance
intensity difference



- Away from edges, it behaves like regular Gaussian smoothing
- Close to edges, the Gaussian kernel gets truncated
- Effect : Smoothing does not cross edges

# Bilateral filtering example



Noisy image



Bilateral filtering





# Flash/no flash Bilateral Filtering



(a) No-Flash

Flash



(c) Denoised via Joint Bilateral Filter

# Detail Transfer

- The flash image contains high-frequency content that may not be in the no-flash photo
- So transfer the details from the high-frequency image

$$\textit{Detail layer} \quad F^{Detail} = \frac{F + \varepsilon}{F^{Base} + \varepsilon} \quad \varepsilon = 0.02$$

- $F^{Base}$  is the bilateral-filtered Flash image

$$\textit{Denoised image with detail transfer} \quad A^{Final} = A^{NR} F^{Detail}$$



(e) Detail Layer



(c) Denoised via Joint Bilateral Filter



(f) Detail Transfer



No-Flash



Detail Transfer  
with Denoising



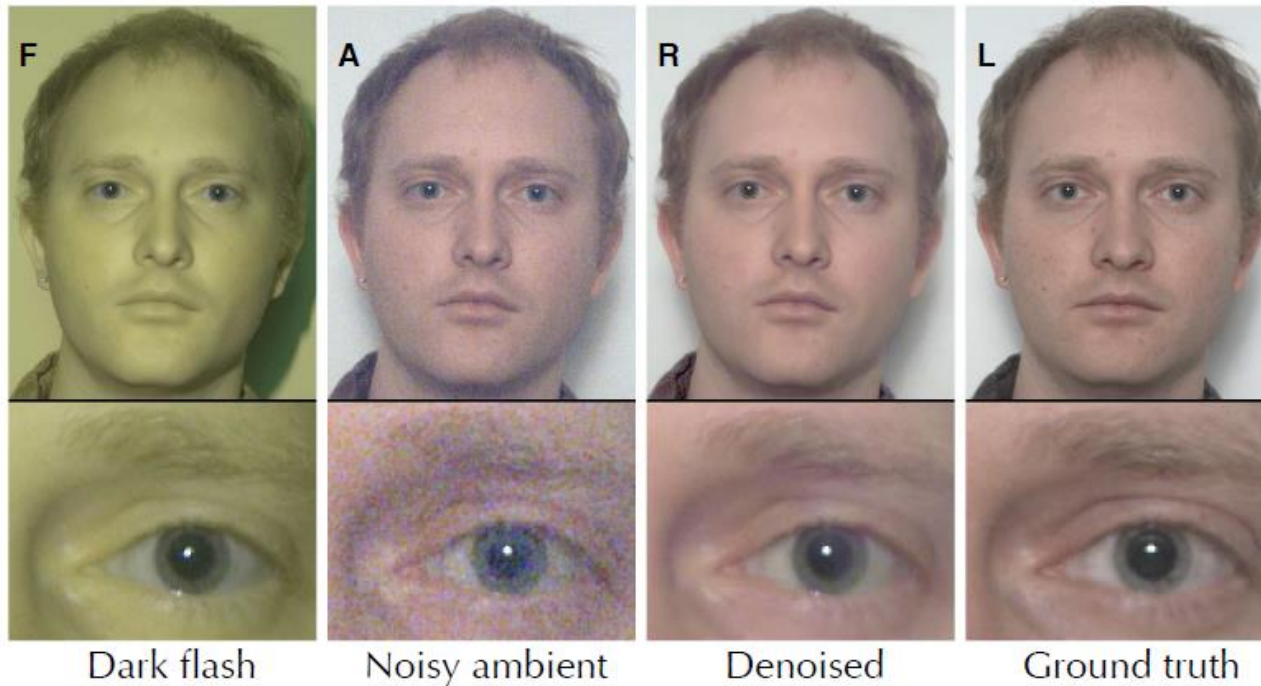
Long Exposure  
Reference

# Dark Flash Photography

Dilip Krishnan\* Rob Fergus

Dept. of Computer Science, Courant Institute, New York University

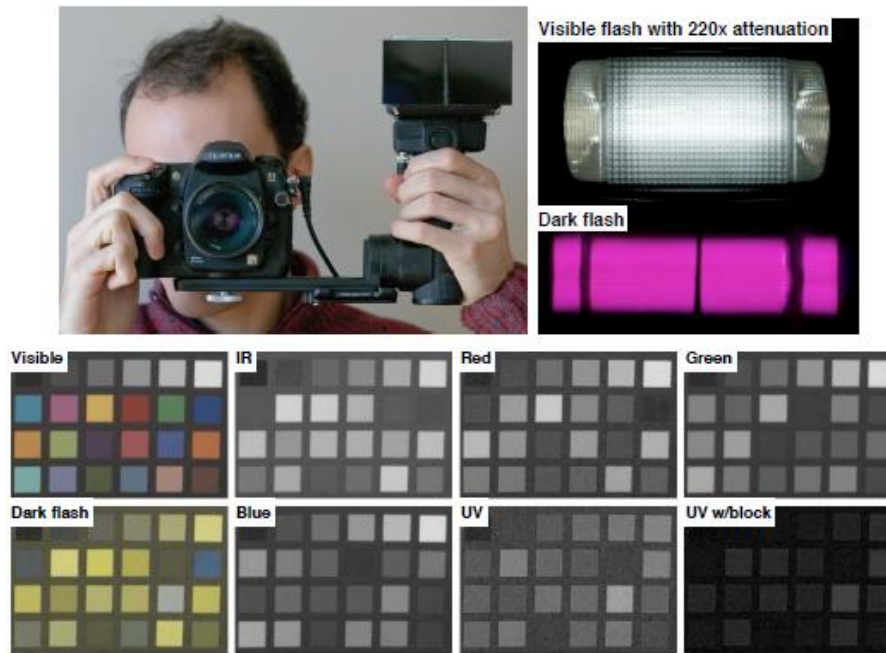
---



- Use “dark-flash” (UV+IR) to provide a bright, low-noise image
- Dark-flash is invisible to humans = unobtrusive
- Use flash *gradients* to guide reconstruction of ambient image

SIGGRAPH 2009

# Dark-Flash Photography



- Camera

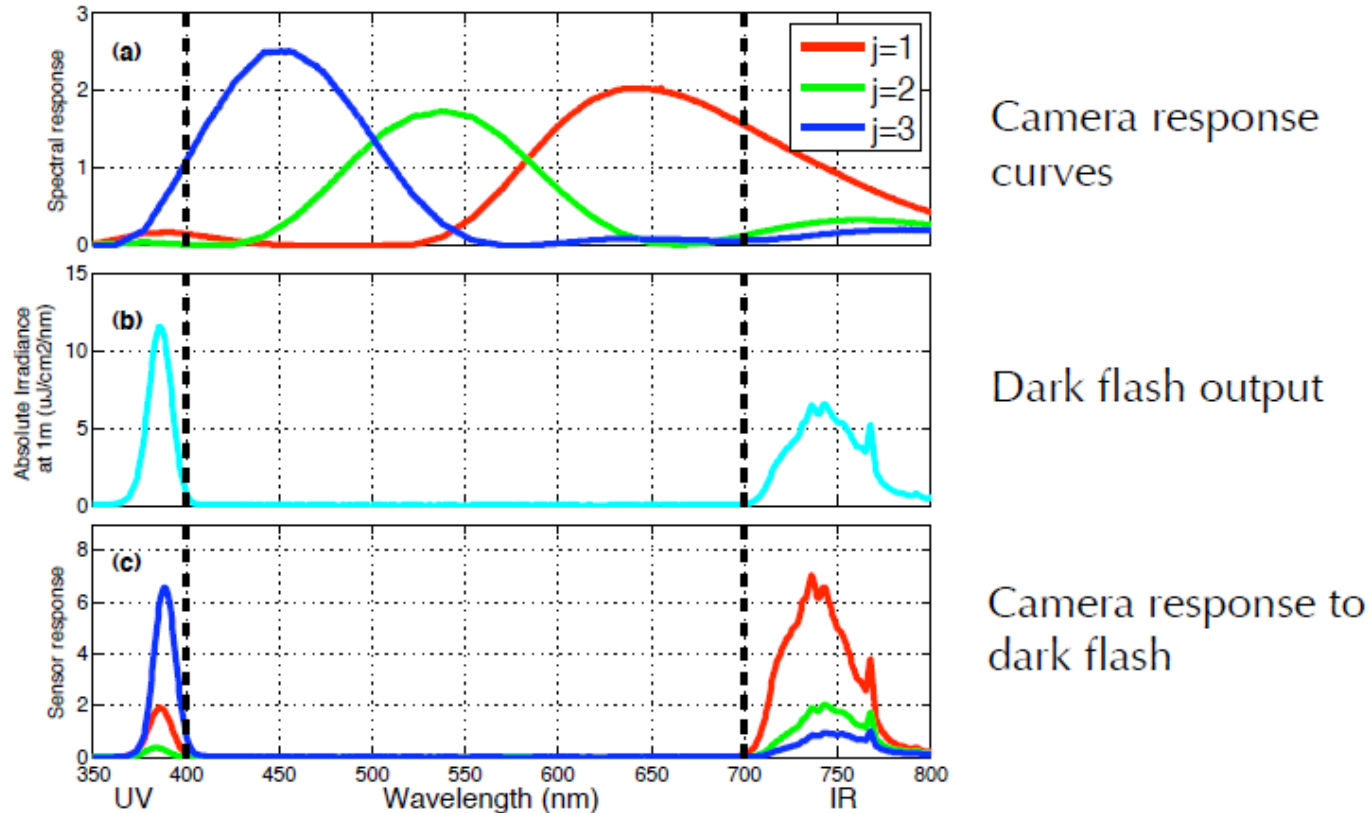
  - Fuji IS Pro ( has no IR cut-filter )

- Flash

  - Nikon SB-14 with UV absorbent coating removed from Xenon tube

  - Hoya U360 filter to remove visible light (400nm to 700nm)

# Spectral Response Curves



- Camera's response extends well into UV and IR regions
- Dark flash only emits light outside visible range
- UV appears mainly in camera Blue channel, IR in Red channel



# Reconstructing the Image

- The dark-flash photo contains the details
- The ambient photo contains the right colours

# Reconstructing the Image

$$\operatorname{argmin}_{R_j} \sum_p \left[ \underbrace{\mu_j m(p) (R_j(p) - A_j(p))^2}_{\text{Likelihood}} + \underbrace{\kappa m(p) |\nabla R_j(p)|^\alpha}_{\text{Spatial}} + \underbrace{|\nabla R_j(p) - \nabla F_1(p)|^\alpha}_{\text{IR Spectral}} + \underbrace{|\nabla R_j(p) - \nabla F_3(p)|^\alpha}_{\text{UV Spectral}} \right]$$

R is reconstructed image  
A is ambient image  
F<sub>1</sub>, F<sub>3</sub> are IR, UV images

Reconstruction is guided by :

- Likelihood term = stay close to ambient image colors
- Spatial term = sparse smoothness prior, keep gradient small
- Spectral terms = keep gradients close to IR and UV gradients
- $\alpha=0.7$  : sparse norm, encourages piecewise smoothness