

Hill Climbing

Algorithm 1 Hill Climbing

```
1: current  $\leftarrow$  a random state
2: while true do
3:   next  $\leftarrow$  get-best-neighbour(current)  $\xrightarrow{\text{lowest cost}}$ 
4:   if cost(current)  $\leq$  cost(next) then
5:     break local optimum
6:   end if
7:   current  $\leftarrow$  next move to neighbour
8: end while
9: return current
```

Hill Climbing with Sideway Moves

Allow ≤ 100 consecutive sideway moves.

Algorithm 2 Hill Climbing with Sideway Moves

```
1: current  $\leftarrow$  a random state (Initialize sideway limit & count)
2: while true do
3:   next  $\leftarrow$  get-best-neighbour(current)
4:   if cost(current)  $<$  cost(next) then
5:     ( Strict local minimum
6:       Stop/break.
7:     end if
8:     if cost(current) == cost(next) then
9:       ( If not over sideway limit
10:        Then move to neighbour and increment sideway count.
11:        end if
12:        ( move to neighbour.
13:        reset sideway count.
14:      end while
15:    return current
```

Hill Climbing with Tabu List

Do not go back ≤ 100 recently visited nodes.

- ▶ How do you keep track of the most recent nodes visited?

queue .

- ▶ How would you update the list? (only useful on a plateau).

If best neighbour in queue,
consider next best neighbour .

else

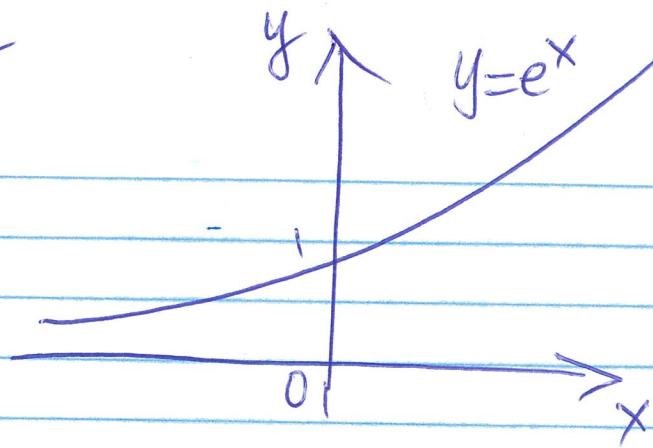
if queue size below limit
add to queue .

else .

add to queue, remove the oldest .

Simulated Annealing

$$e^{\frac{\Delta E}{T}}$$



$\Delta E = -10$ Change $T = 100$ to $T = 10$.

$$e^{\frac{-10}{100}} = e^{-0.1} \approx 0.9 \quad e^{\frac{-10}{10}} = e^{-1} \approx 0.36.$$

$\Delta E < 0$. $T > 0$. $\frac{\Delta E}{T} < 0$.

$$T \downarrow \left| \frac{\Delta E}{T} \right| \uparrow \frac{\Delta E}{T} \downarrow e^{\frac{\Delta E}{T}} \downarrow$$

$T = 10$. $\Delta E = -10$ to $\Delta E = -100$.

$$e^{\frac{-10}{10}} = e^{-1} = 0.36 \quad e^{\frac{-100}{10}} = 0.000045.$$

$$\Delta E \downarrow \left| \Delta E \right| \uparrow \left| \frac{\Delta E}{T} \right| \uparrow \frac{\Delta E}{T} \downarrow e^{\frac{\Delta E}{T}} \downarrow$$

Genetic Algorithm 8-Queens.

24748552

32752411

24415124

32543213

fitness 24

23

20

11

prob 31%

29%

26%

14%

Parents

24748552

Parents

32752411

Parents

24748552

Parents

24415124

32752411

24415124

32543213

32752411

child.

24748411



24748415

child.

32415124



32415124

child.

24743213



54743213

child.

24752411



24712411

- Keep track of multiple states.

- cost function : - fitness

- neighbour relation:

- choose parents proportional to fitness

- cross over

- mutate

Early in the process

population is diverse, child can be very diff from parents
large steps in the space

Later on

Individuals are similar, small steps.