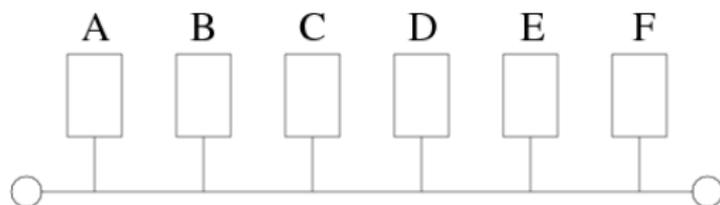


# Protocols for Multiaccess Networks

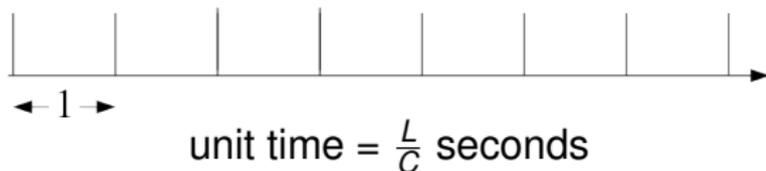


- Hosts broadcast packets
- When a collision occurs, all transmitted packets are lost
- Lost packets have to be retransmitted

**=> Need Multiaccess Protocol**

# Model - Slotted Aloha

- Time is divided into slots:



- Packet arrival rate (over all hosts) of  $\lambda$  packets/time unit
- Collision or Perfect Reception
- Immediate Feedback: 0, 1, e
- Transmission Probability:  $q_r$
- Infinite number of hosts (i.e. each node has at most one packet to transmit)

# Model - Slotted Aloha

Throughput:

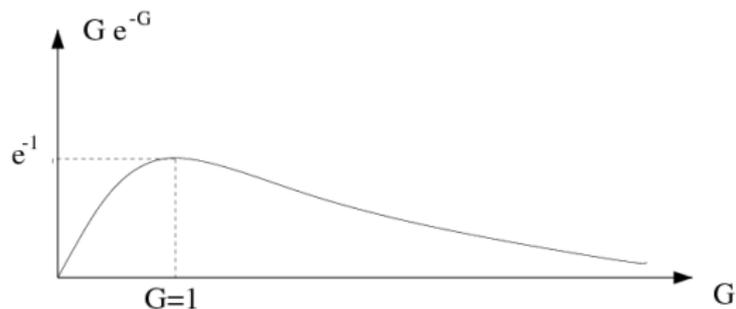
$$G(n)e^{-G(n)}$$

where  $G(n) = nq_r$

Note: Arrivals according to a Poisson distribution with rate  $G$ :

$$p_k = \frac{G^k}{k!} e^{-G}$$

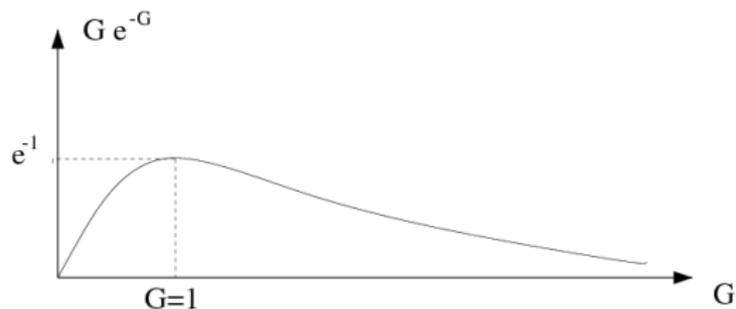
# Model - Slotted Aloha



- If  $G(n)e^{-G(n)} > \lambda$ :
- If  $G(n)e^{-G(n)} < \lambda$ :
- Optimal  $G(n) = nq_r = 1$ , or

$$q_r = \frac{1}{n}$$

# Model - Slotted Aloha



- If  $G(n)e^{-G(n)} > \lambda$ :
- If  $G(n)e^{-G(n)} < \lambda$ :
- Optimal  $G(n) = nq_r = 1$ , or

$$q_r = \frac{1}{n}$$

## What did we learn?

- $\lambda_{max} = e^{-1} \approx 0.368$
- $q_r$  should dynamically change

## Binary Exponential Backoff

- $q_r = 2^{-k}$

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## Binary Exponential Backoff

- $q_r = 2^{-k}$

Questions:

- Can we do better than Slotted Aloha?
- How close to the maximal throughput can we get?

To improve Slotted Aloha:

- Where do we waste time?

# Improving Slotted Aloha

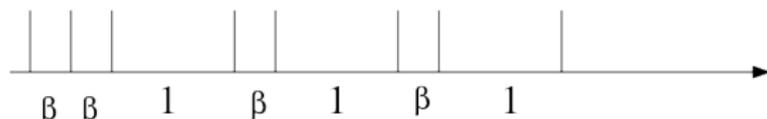
## Approaches

- Carrier Sensing (CSMA)
- Collisions Detection (CD)

Ethernet uses CSMA/CD

- Understand CSMA
- Understand CD
- Understand Ethernet

- Time is divided into slots (unit time =  $\frac{L}{C}$  seconds):

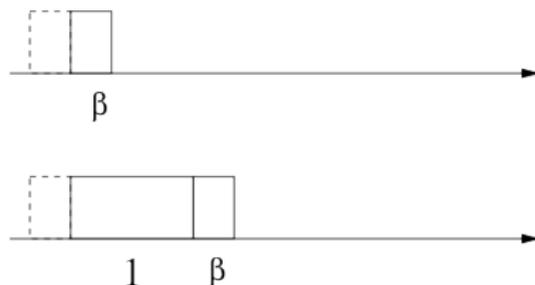


Length of idle slot  $\beta = \tau \frac{C}{L}$  seconds

- Packet arrival rate (overall nodes) of  $\lambda$  packets/time unit
- Collision or Perfect Reception
- Immediate Feedback: 0, 1, e
- Transmission Probability:  $q_r$

**Note:** Stations only transmit after an idle slot !

## Events



## Average Length of Events

$$E[T] = E[T \mid \text{no transmission attempt}]P\{\text{no transmission attempt}\} \\ + E[T \mid \text{transmission attempt}]P\{\text{transmission attempt}\}$$

Using the Poisson approximation with

$$g(n) = nq_r$$

we obtain

$$\begin{aligned} E[T] &= \beta \cdot e^{-g(n)} + (1 + \beta) \cdot (1 - e^{-g(n)}) \\ &= \beta + 1 - e^{-g(n)} \end{aligned}$$

and

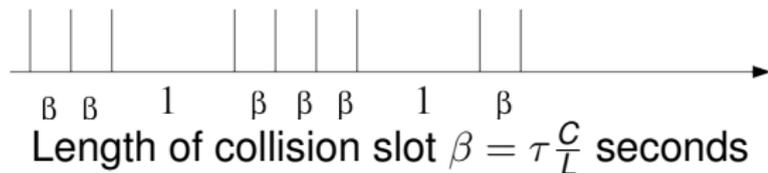
$$\begin{aligned} \text{throughput}(n) &= \frac{P_{succ}}{E[T]} = \frac{g(n)e^{-g(n)}}{E[T]} \\ &= \frac{g(n)e^{-g(n)}}{\beta + 1 - e^{-g(n)}} \end{aligned}$$

For  $\beta$  very small



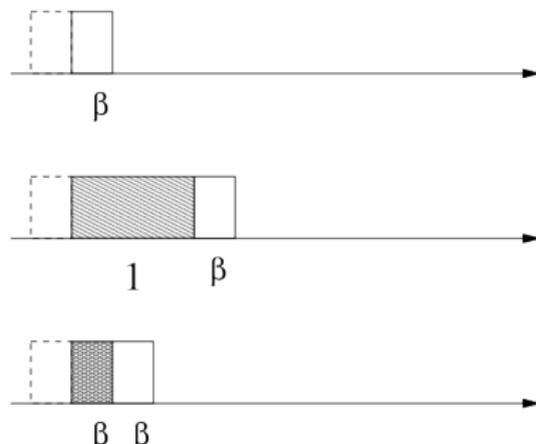
- Maximal throughput for  $g = \sqrt{2\beta}$
- Maximal throughput is  $\frac{1}{1+\sqrt{2\beta}}$
- Stability is an issue

- Time is divided into slots:



- Packet arrival rate (overall nodes) of  $\lambda$  packets/time unit
- Collision or Perfect Reception
- Immediate Feedback: 0, 1, e
- Transmission Probability:  $q_r$

## Events



## Average Length of Events

$$E[T] = E[T \mid \text{no trans. attempt}]P\{\text{no trans. attempt}\} + \\ E[T \mid \text{one trans. attempt}]P\{\text{one trans. attempt}\} + \\ E[T \mid > \text{one trans. attempt}]P\{> \text{one trans. attempt}\}$$

Using the Poisson approximation with

$$g(n) = nq_r$$

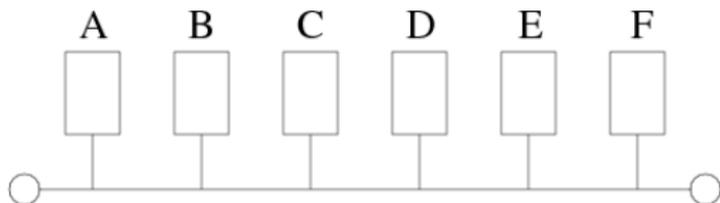
we obtain

$$\begin{aligned} E[T] &= \beta \cdot e^{-g(n)} + \\ &\quad (1 + \beta) \cdot (g(n)e^{-g(n)}) + \\ &\quad 2\beta \cdot (1 - e^{-g(n)} - g(n)e^{-g(n)}) \\ &= \beta + g(n)e^{-g(n)}\beta \left[ 1 - (1 + g(n))e^{-g(n)} \right] \end{aligned}$$

and

$$\text{throughput}(n) = \frac{P_{succ}}{E[T]} = \frac{g(n)e^{-g(n)}}{\beta + g(n)e^{-g(n)}\beta \left[ 1 - (1 + g(n))e^{-g(n)} \right]}$$

- Maximal throughput for  $g = 0.77$
- Maximal throughput is  $\frac{1}{1+3.31\beta}$
- Stability is an issue



- Uses CSMA/CD
- Uses Binary Backoff
- Does not use time slots

# Ethernet Frame

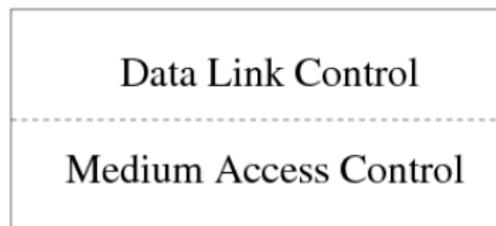


- **Preamble (8 bytes):** Synchronization
- **Destination Address (6 bytes) - Source Address (6 bytes)**  
MAC-Address (hexadecimal notation): 1A-3B-0D-08-9B
- **Type (2 bytes):** Multiplexing (of Network protocols)
- **Data (46-1500 bytes)**
- **Cyclic-Redundancy Check (4 bytes):** Error detection

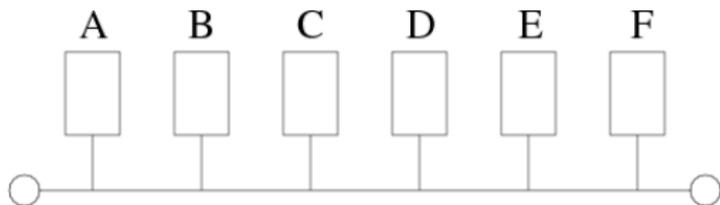
- If the adapter senses that the channel is idle and has a frame to transmit, it starts to transmit the frame. If the adapter senses that the channel is busy, it waits until it senses no signal (plus 96 bit times) and then starts to transmit.
- If the adapter detects a signal from other adapters while transmitting, it stops transmitting its frames and instead transmits a 48-bit jam signal.
- After aborting, the adapter enters an **exponential backoff** phase.
- After experiencing the  $n$ th collision in a row for this frame, the adapter chooses at random a value  $K$  from  $\{0, 1, \dots, 2^{m-1}\}$  where  $m := \min(n, 10)$ . The adapter then waits  $K \cdot 512$  bit frames and then tries to retransmit the frame.

– > Connectionless Service

# Data Link Layer for Random Access

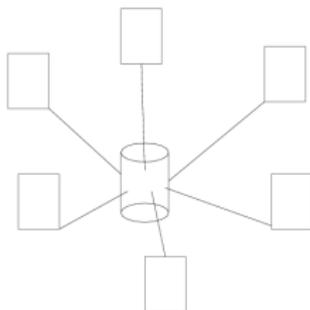


# 10Base2 Ethernet



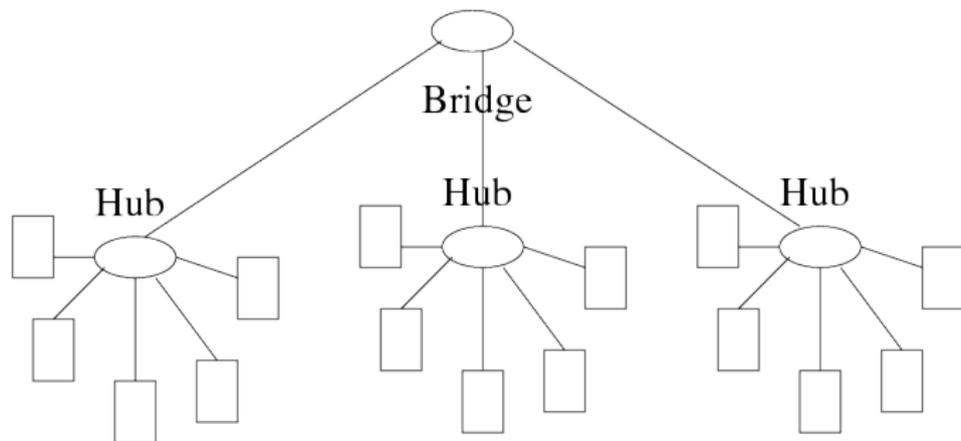
- 10 Mbps
- Thin coaxial wire
- Maximal Length (without repeaters) is 185m.

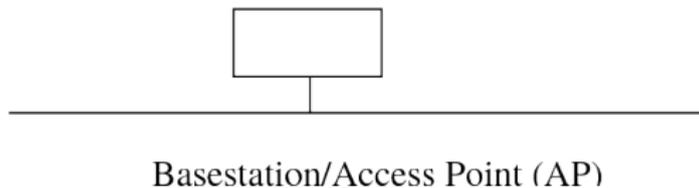
# 10BaseT and 100BaseT Ethernet



- 10 Mbps / 100 Mbps
- Twisted-pair copper wire
- Maximal Length (host to hub) is 100m.

# Interconnecting Ethernets





- Hidden-Terminal Problem: ACK
- CSMA/CA