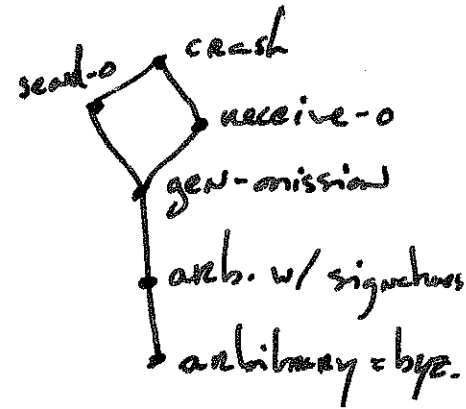
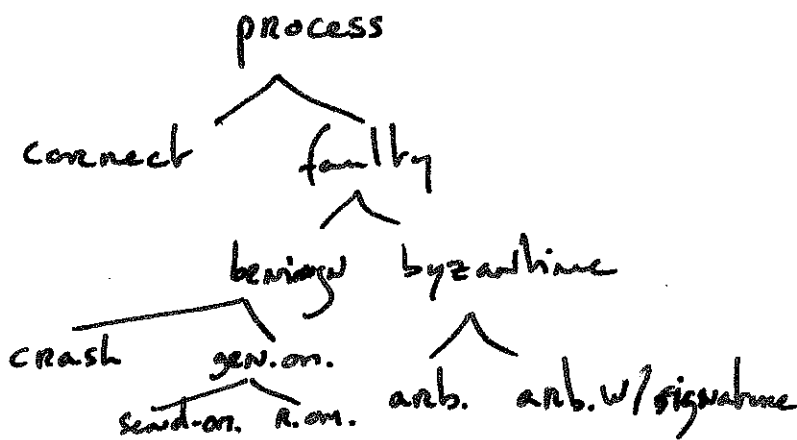


Distributed Computing

CSC222.1

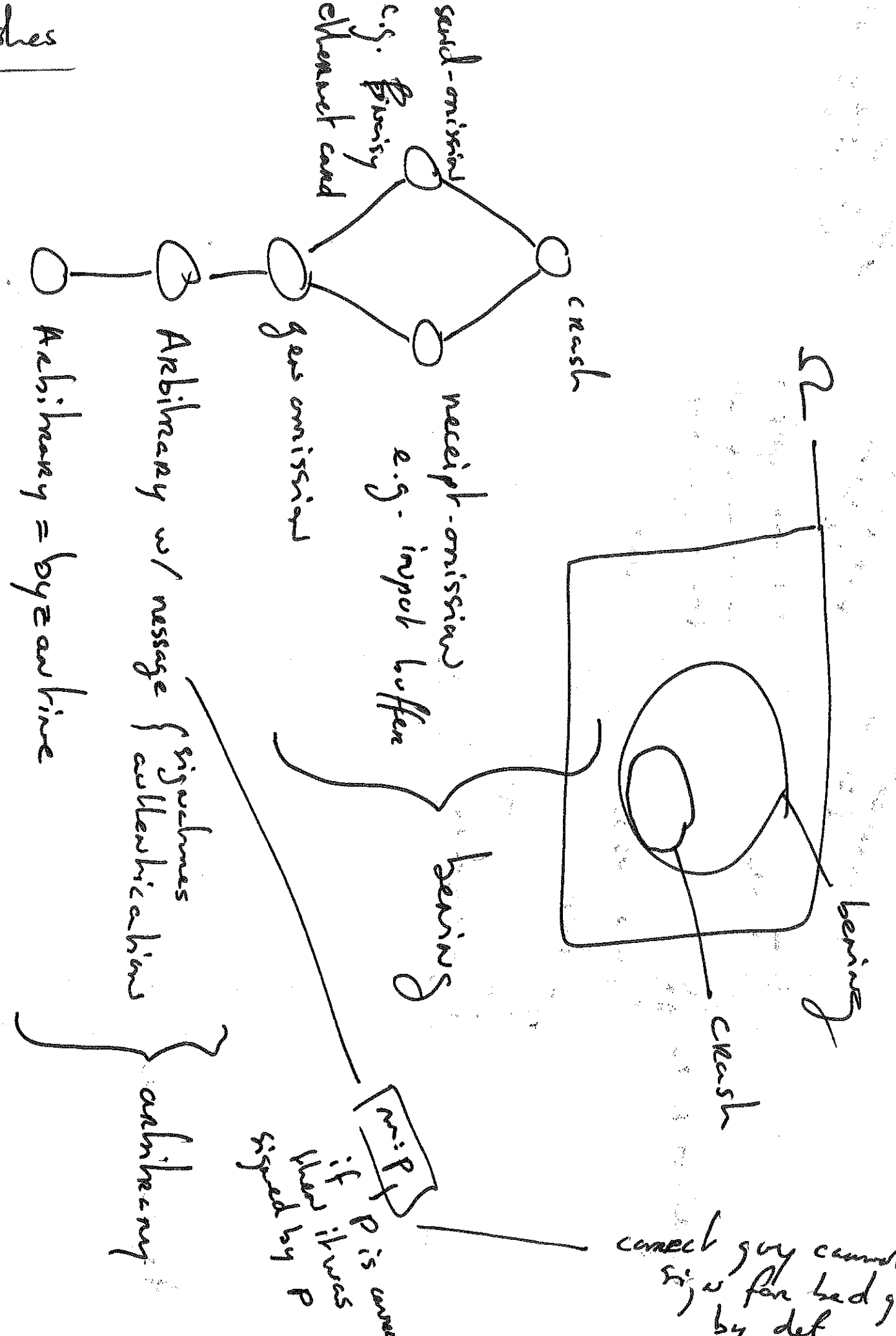
- Setting: synchronous, asynchronous, partially sync.
- Communication: message passing, shared memory
- Issues:
 - + Atomic Commit
 - + Leader election
 - + Mutual Exclusion
 - + TRB (Validity, Agreement, Integrity)
 - + Consensus (V, A, I, Termination)

Faults:



- Parallel Comp = Classical para comp \cup dist comp
 - \downarrow concurrency
 - \sim multithread \sim
 - \downarrow external ND, ~~external message~~
 - \downarrow communication
 - failures, asynchrony

Crashes



correct guy cannot sign for bad guy by def

crash
 if P is correct then it was signed by P

Arbitrary = byzantine

Arbitrary w/ message { signatures authentication

Arbitrary = byzantine

receipt - omitted
 e.g. input buffer
 beginning

sent - omitted
 e.g. Binary character card

crash

beginning

crash

Relaxing FLP

PS —
CS —
MO —
MBS — multiple broadcast / step
AS+R —

~~multiple broadcast / step~~
(PS, CS, MO, MBS, AS+R)

1: (1, 1, 0, x, x) ✓ (1, 0, 0, x, x) ×

(1, 0, 1, x, x) ✓

2: (0, 1, x, 1, 1) ✓ (0, 1, 0, x, 0) ×

(0, 1, x, 0, 1) ✓ ≠ 1

3: (0, x, 1, 1, x) ✓

(0, x, 1, 0, x) ×

Global Coin Proof

→ e.g.

Round 1: P_1 P_2 P_3
0 1 1

if $C_1 = 0$, (coin toss was unlucky for agreement)
then strong adversary can prevent P_2 or P_3 to move to round 2 (say P_2)

Round 2: P_1 P_3
1 0

$C_2 = X$; learned when P_1 tosses

Round 1: P_2
1-X

strong adv lets P_2 move to round 2

wlog $X = 1$ then

P_1 P_2 P_3
1 0 0

and $C_2 = 1$

→ repeat forever

$\Rightarrow \epsilon = 0 \Rightarrow \Omega\left(\frac{1}{\epsilon}\right) = \Omega(\infty)$

Unreliable Failure Detectors

FLP \rightarrow transition irrevocable

change bivalence \rightarrow univalence
 depends w.r.t and in processes:

~~\rightarrow perfect failure detector~~

\rightarrow synchronous: visible

\rightarrow asynchronous: invisible

FLP \Rightarrow lack of failure detect.
~~perfect failure detector~~

Failure detector: doesn't lie, report who is in the list

Weak FD: $\square W$

- $\exists t, \exists \text{connect-p}$, from t onwards, $\text{oracle}(\text{connect-p})$
- $\exists t, \exists \text{---}$, $\forall p$, no p suspects connect-p

\rightarrow dead will say it is on dead list

\rightarrow can solve FLP!

Leader Election (Weak FD) - Ω

- $\exists t, \exists \text{---}$, $\forall p$, p trusts con-p

FLP $\begin{cases} \text{undet. fail. detect} \begin{cases} \text{perfect} \\ \text{wrel.} \end{cases} \\ \text{partial synchronous} \end{cases}$

$\Diamond W \leftrightarrow \Omega$ Ben Or (doesn't use 99% of time things go well) info

$q(\tau) \rightarrow$ mutual exd. in message passing

\rightarrow homework: show ~~Ω~~ $\Diamond W \leq \Omega$

\Rightarrow scheduler ~~\equiv~~ partially synch \leftrightarrow weak FD
 (w/ relative speed)

perfect failure detect \leftrightarrow ~~perfect FD~~ synch sys -

\rightarrow research quest. $\left\{ \begin{array}{l} \text{class of FD beyond} \\ \Omega\text{-complete} - \end{array} \right.$

k-set agreement

no-wait-free

\rightarrow skip impl. 3rd alg for dup!!

Failure Detectors

distributed oracle

weakest

weak FD $\rightarrow \Diamond W$

perfect $\left\{ \begin{array}{l} \text{complete: } \forall \text{ dead, dead } \in \text{ suspects} \\ \text{accuracy: } \forall s \in \text{ suspects, } s \text{ is dead} \end{array} \right.$

unreliable (weak FD) $\left\{ \begin{array}{l} \exists t, \exists p \in \text{connect, } \text{oracle is complete} \\ \exists t, \exists p \in \text{connect, } \text{oracle } P: p \notin \text{ suspect} \end{array} \right.$

front, pc

Chandra Toueg classes

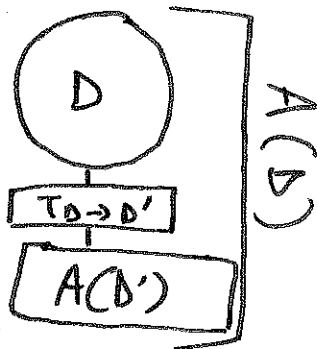
$D \subset \text{oracle } P \text{ . dead}$
 completeness \rightarrow would not take so

	strong: $\exists t, \forall p \in \text{connect, } p \in \text{dead}$	weak: $\exists t, \exists p \in \text{connect, } D \subset \text{oracle } p$
accuracy	P	Q
	S	W
ev. strong: $\exists t, \text{oracle is str}$	$\Diamond P$	$\Diamond Q$
ev. weak: $\exists t, \text{oracle is weak}$	$\Diamond S$	$\Diamond W$

Distributed Reduction

Let D and D' be FDs. $D \geq D' \Leftrightarrow \exists T_{D \rightarrow D'}$

"D is red. to D'" \Leftrightarrow "D' is weaker than D"



Then $P \geq Q, S \geq W, \Diamond P \geq \Diamond Q$

Cor $Q \geq P, \text{ etc. } \rightarrow P \cong Q$

\Rightarrow Consensus solvable in AS with $f < \lfloor \frac{n}{2} \rfloor, \forall D, D \geq \Diamond W$

\Rightarrow Consensus not solvable in AS with $f \geq \lfloor \frac{n}{2} \rfloor, \forall D, \Diamond P \geq D$

QoS

p monitors q

Way \rightarrow prop. of loss
distrib^o

QoS F

+ requirements: | D = 10ms
| P_# = .999

Extended

k-set agreement : generalized consensus
k = 1

partial sync : GST