In natural variable $n$, ignoring time, find three specifications $P$ satisfying

$$P \equiv P \cdot n = 2 \times n'$$

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$P \cdot n = 2 \times n' \quad$ dependent composition

$$\equiv \exists n'' \cdot (P \text{ but replace } n' \text{ with } n'') \land n'' = 2 \times n' \quad \text{one-point composition}$$

so any $P$ that remains unchanged when you multiply each occurrence of $n'$ by 2 will do. That includes any specification in which $n'$ doesn't appear, and $n'=0$, and the negation of any solution, and the conjunction of any two solutions, and maybe others.