Express formally that specification R is satisfied by any number (including 0) of repetitions of behavior satisfying specification S.

After trying the question, scroll down to the solution.

§ Here are three answers:

$$R \leftarrow ok \vee (S.R)$$

$$R \leftarrow ok \vee (R.S)$$

$$R \leftarrow ok \vee S \vee (R.R)$$

Taking the last answer:

$$R$$
 given
$$\Leftrightarrow ok \vee S \vee (R, R)$$
 by monotonicity
$$\Leftrightarrow ok \vee S \vee (ok \vee S \vee (R, R), ok \vee S \vee (R, R))$$
 distribution
$$\Leftrightarrow ok \vee S \vee (ok \otimes ok) \vee (ok \otimes S) \vee (ok \otimes R, R) \vee (S \otimes ok) \vee (S \otimes S) \vee (S \otimes R, R)$$

$$\leftarrow ok \vee S \vee (ok. ok) \vee (ok. S) \vee (ok. R. R) \vee (S. ok) \vee (S. S) \vee (S. R. R) \\ \vee (R. R. ok) \vee (R. R. S) \vee (R. R. R. R)$$

$$= ok \vee S \vee (S.S) \vee (R.R) \vee (S.R.R) \vee (R.R.S) \vee (R.R.R.R)$$

So now we have 0, 1, and 2 repetitions and some other stuff. Further applications of monotonicity and distribution give us more repetitions.