Recognition of Visual Activities and Interactions by Stochastic Parsing

Yuri Ivanov and Aaron Bobick

presented by David Ross March 24, 2005

Motivation

- recognize complex action sequences in video
- sequences are "structurally defined relationships of primitives"
- two level approach: recognize...
 - low level primitives using statistical detection
 - actions (configurations of primitives) using stochastic context free grammars (SCFG)

Context-Free Grammars

- start symbol, non-terminals, terminals, rules
- context-free: LHS of rule is single non-terminal

 $S \rightarrow NP VP$

 $PP \rightarrow P NP$

 $VP \rightarrow V NP$

 $VP \rightarrow VP PP$

 $P \rightarrow with$

V → saw

 $NP \rightarrow NP PP$

NP → astronomers

 $NP \rightarrow ears$

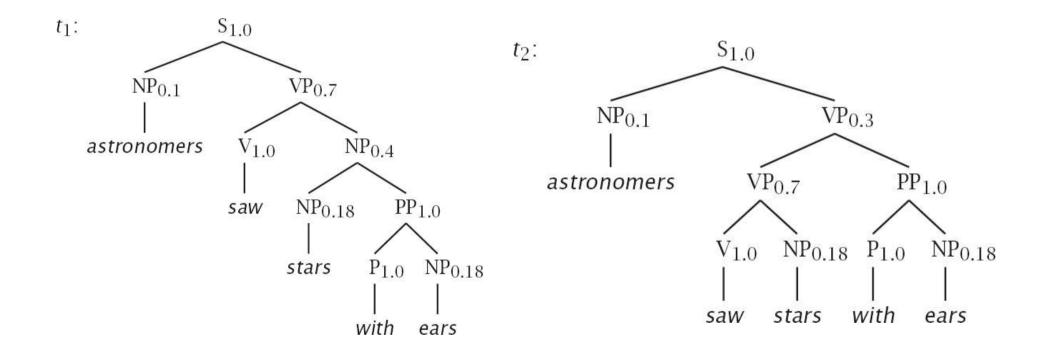
NP → saw

 $NP \rightarrow stars$

NP → telescopes

Alternative Parses

"astronomers saw stars with ears"



Stochastic/Probabilistic CFGs

- add probabilities to each rule
- probability of a parse tree is product of rule probabilities

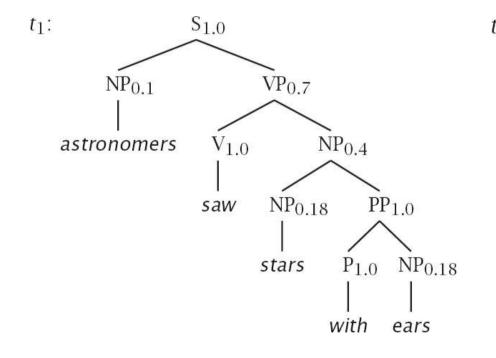
$S \rightarrow NP VP$	1.0	$NP \rightarrow NP PP$	0.4
$PP \rightarrow P NP$	1.0	NP → astronomers	0.1
$VP \rightarrow V NP$	0.7	NP → ears	0.18
$VP \rightarrow VP PP$	0.3	NP → saw	0.04
$P \rightarrow with$	1.0	NP → stars	0.18
V → saw	1.0	NP → telescopes	0.1

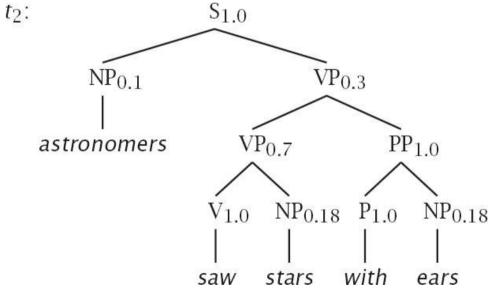
Alternative Parses

compare probabilities

$$P(t_1) = 9.072e-4$$

$$P(t_2) = 6.804e-4$$





Parsing Algorithm

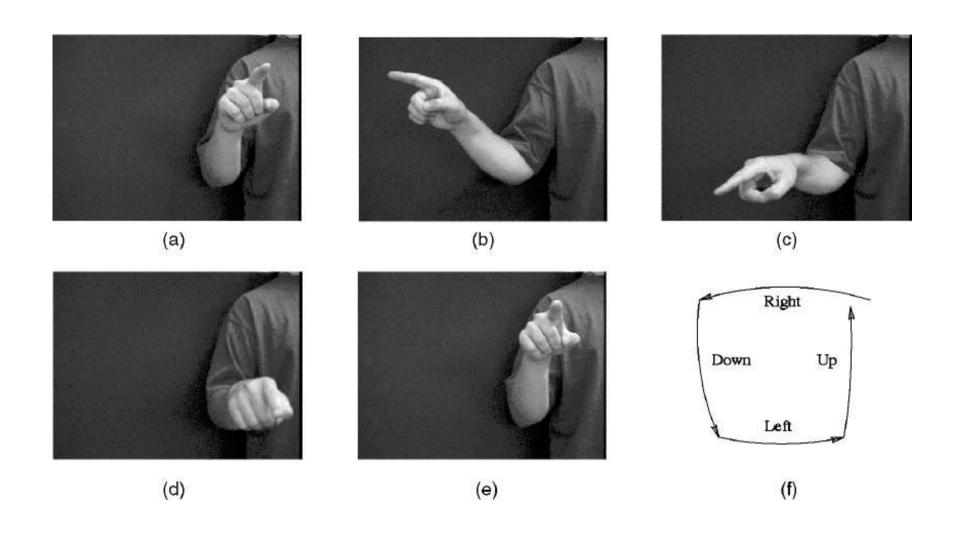
- begin with start symbol, S
- predict expand all non-terminals, via a leftmost parse
- scan find partial parses that match the current input symbol
- complete when a parse subtree is complete, work to the next non-terminal; advance to next input symbol

Parsing Example

S	\rightarrow	NP VP	Det	\rightarrow	a
NP	\rightarrow	Det N	N	\rightarrow	circle square triangle
VP	\rightarrow	VT NP	VT	\rightarrow	touches
VP	\longrightarrow	VI PP	VI	\rightarrow	is
PP	\rightarrow	P NP	Р	\rightarrow	above below

(b)					
	a	circle	touches	a	square
$_{0} \rightarrow S$ $predicted$ $_{0}S \rightarrow NP VP$ $_{0}NP \rightarrow Det N$ $_{0}Det \rightarrow a$	$scanned$ $_0 Det \rightarrow a$ $completed$ $_0 NP \rightarrow Det N$ $predicted$ $_1 N \rightarrow circle$ $_1 N \rightarrow square$ $_1 N \rightarrow triangle$	$scanned$ $_1N \rightarrow circle$ $completed$ $_0NP \rightarrow Det N$ $_0S \rightarrow NP VP$ $predicted$ $_2VP \rightarrow VT NP$ $_2VP \rightarrow VI PP$ $_2VT \rightarrow touches$ $_2VI \rightarrow is$	scanned ${}_{2}VT \rightarrow \text{touches.}$ ${}_{completed}$ ${}_{2}VP \rightarrow VT.NP$ ${}_{predicted}$ ${}_{3}NP \rightarrow .Det N$ ${}_{3}Det \rightarrow .a$	$scanned$ $_3 Det \rightarrow a$ $completed$ $_3 NP \rightarrow Det N$ $predicted$ $_5 N \rightarrow circle$ $_4 N \rightarrow square$ $_4 N \rightarrow triangle$	scanned $_4$ N \rightarrow triangle, completed $_4$ NP \rightarrow Det N. $_3$ VP \rightarrow VT NP. $_0$ S \rightarrow NP VP. $_0$ \rightarrow S.
State set 0	1	2	3	4	5

Example: Structured Gesture



Structured Gesture: SCFG

```
G_{square}:
                                                 [0.5]
SQUARE
                  RH
                                                 [0.5]
                  LH
                                                 1.0
RH
                  TOP up-down BOT down-up
LH
                  BOT down-up TOP up-down
                                                 1.0

ightarrow left-right
                                                 [0.5]
TOP
                  right-left
                                                 [0.5]
                                                 [0.5]
BOT
                  right-left
                  left-right
                                                 [0.5]
```

notice any problems?

Recognizing Gesture Primitives

- Hidden Markov Model (HMM)
 - state-space model, with discrete state variables
 - must provide a mapping from states to observations
 - can be fit to training data using EM, providing a density model
 - Viterbi (aka dynamic programming, max-product)
- fit one HMM to each primitive
- use them backwards from current time... each outputs probability and starting time

Output of Primitive Detector

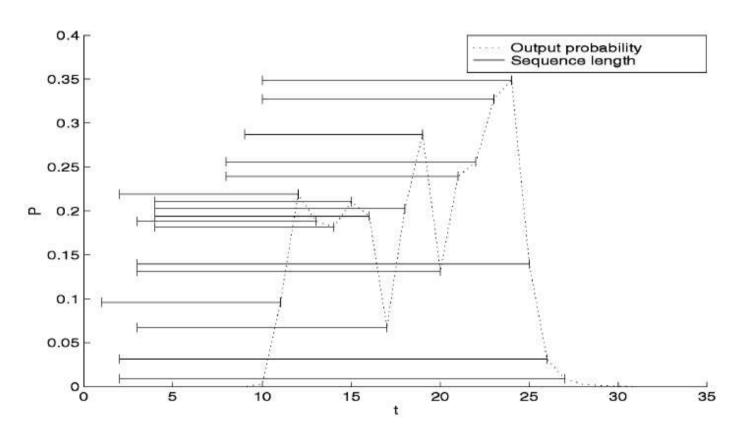
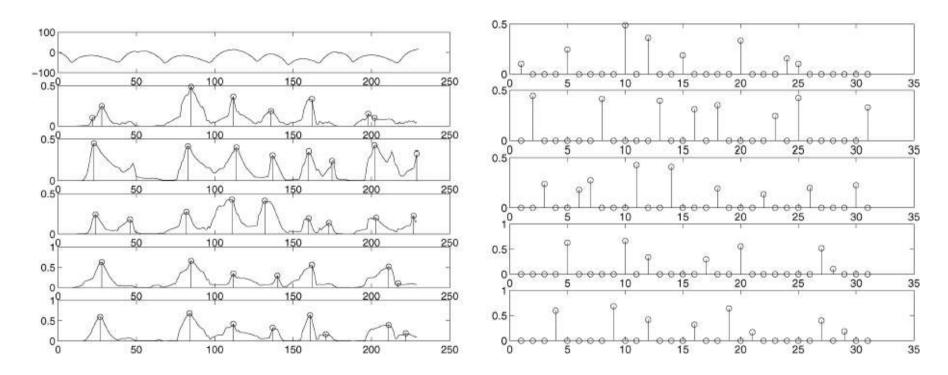


Fig. 2. Output of a component model. Here, at every sample, the activity primitive, modeled by the HMM, outputs a model likelihood. Each point of the probability plot is the normalized maximum likelihood of the HMM

Produce Discrete Events

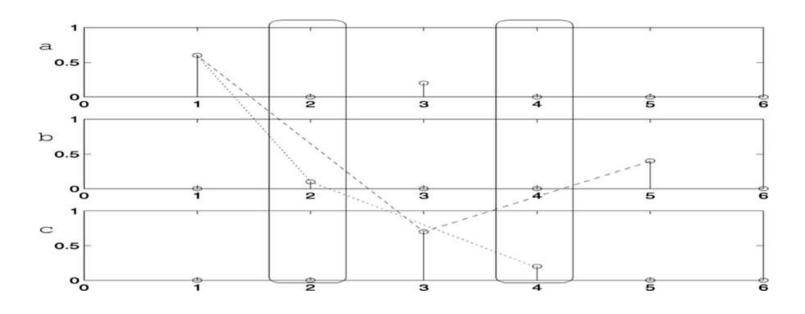


 threshold HMM probability, search for local maxima, discretize, discard times lacking detections

Problems Producing Discrete Symbols

- 1) uncertainty in the observation (substitution errors) "a game of cat and {mouse,house}"
- 2) spurious detections (insertion errors) "a game of 9 cat and mouse"
- 3) ensuring events don't overlap (temporal consistency)

1. Uncertainty in Observations



- each detection has a probability
- "multivalued string"
- when parsing, multiply parse tree by probability of symbol

2. Dealing with Insertion Errors

- sources of insertions
 - noise in component detectors
 - other actions going on in the video
- robustify grammar

A: b C

A: B C

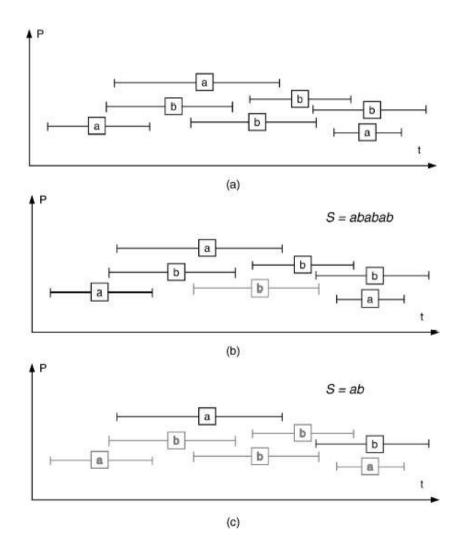
B: b | b SKIP | SKIP b

SKIP: a | b | c | ...

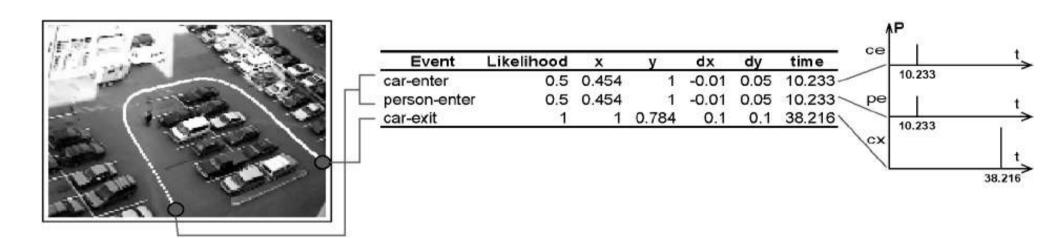
assign low probability to SKIP

3. Temporal Consistency

- terminals should be non-overlapping
- when parsing, multiply prob. by a compatibility function f(d) ε [0,1]



Example: Surveillance



primitive detection:

- track moving blobs
- label as car or person (probabilistically)
- from tracks, generate discrete events using rules (6.1.2)
- {person,car} + {enter, found, exit, lost, stopped}

Rule Probabilities

- not learned set to uniform
- might be hard to set manually
- can estimate from data using EM
- square example: grammar not even ambiguous
- only important probability: SKIP rule (probability of insertion errors)

SCFG vs. HMM

 advantages to using SCFG over HMM for complex action recognition?

