



Collection-based Operators for Megamodels

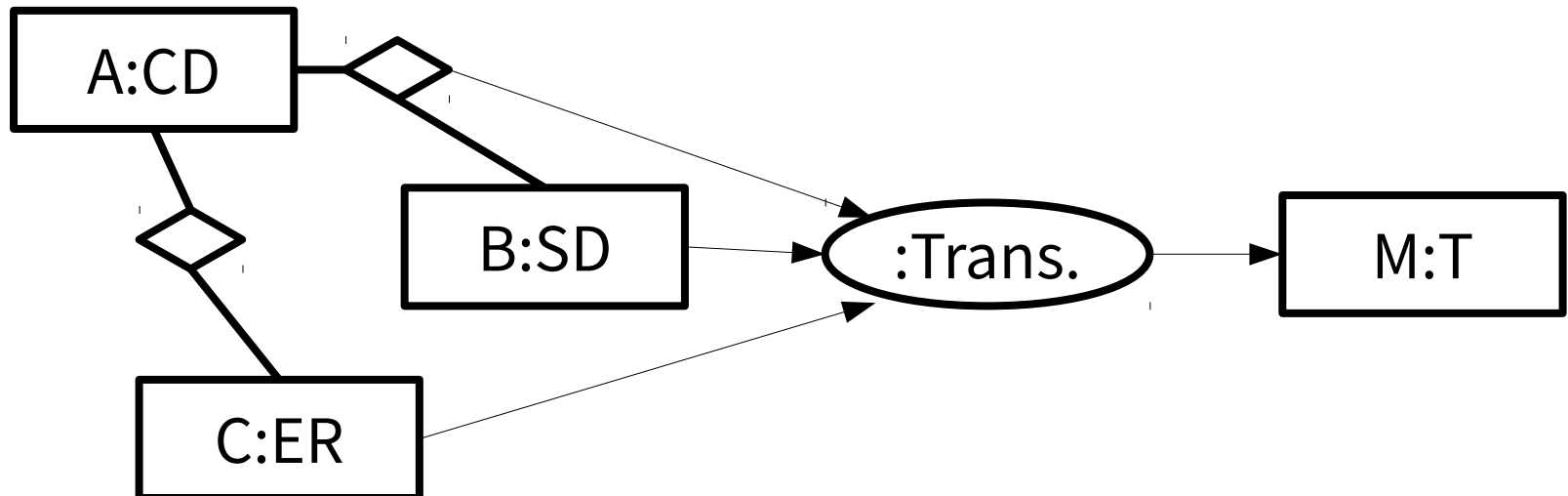
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Outline

- Introduction
- The Collection-based Operators
 - Map
 - Reduce
 - Filter
- The MMINT Workbench
- Results
- Conclusions

Megamodels

- **Definition**
 - Collection of related models
- **Mgraph Representation**
 - Models, Relationships, Transformation Apps
 - Megamodels, Megarels, Transformation MegaApps



Collection-based Operators

- **Map**
 - Transforms elements
 - E.g. **map** $[\lambda x. 2x]$ ($[1, 2, 3, 4]$) = $[2, 4, 6, 8]$
- **Reduce**
 - Aggregates elements
 - E.g. **reduce** $[\lambda x, y. x+y]$ ($[1, 2, 3, 4]$) = 10
- **Filter**
 - Extracts elements
 - E.g. **filter** $[\lambda x. x > 2]$ ($[1, 2, 3, 4]$) = $[3, 4]$

Map

(Recall: $\text{map } [\lambda x . 2x] ([1, 2, 3, 4]) = [2, 4, 6, 8]$)

Input: transformation F with signature $\langle I, O \rangle$,
megamodels $\{X_e | e \in I\}$

Output: set of megamodels $\{Y_e | e \in O\}$

- 1: **for** $(e \in O)$ { **let** $Y_e := \emptyset$ }
- 2: **for** (fresh binding K in $\{X_e | e \in I\}$) {
- 3: **if** F is commutative **then**
- 4: **if** isomorphism of K already done **then continue;**
- 5: **for** $(e \in O)$ { add element e of $F(K)$ to Y_e }
- 6: **return** $\{Y_e | e \in O\}$

Reduce

(Recall: **reduce** $[\lambda x, y. x+y]$ ($[1, 2, 3, 4]$) = 10)

Input: transformation F with signature $\langle I, O \rangle$,
megamodel X

Output: megamodel Y

```
1: let  $Y := X$ 
2: for (binding  $K$  in  $Y$ ) {
3:   apply  $F(K)$  generating output  $K'$ ;
4:   for ( $m \in K_{\text{Mod}}, m' \in K'_{\text{Mod}}, r(m, m') \in K'_{\text{Rel}}$ ) {
5:     for ( $m'' \in Y_{\text{Mod}}, r'(m'', m) \in Y_{\text{Rel}}$ ) {
6:       let  $comp := \text{getCompOp}(\text{type}(r'), \text{type}(r))$ ;
7:       let  $r''(m', m'') := comp(r', r)$ ;
8:       add  $r''$  to  $Y$  }}
9:   delete elements in  $K$  from  $Y$  }
10: return  $Y$ 
```

Filter

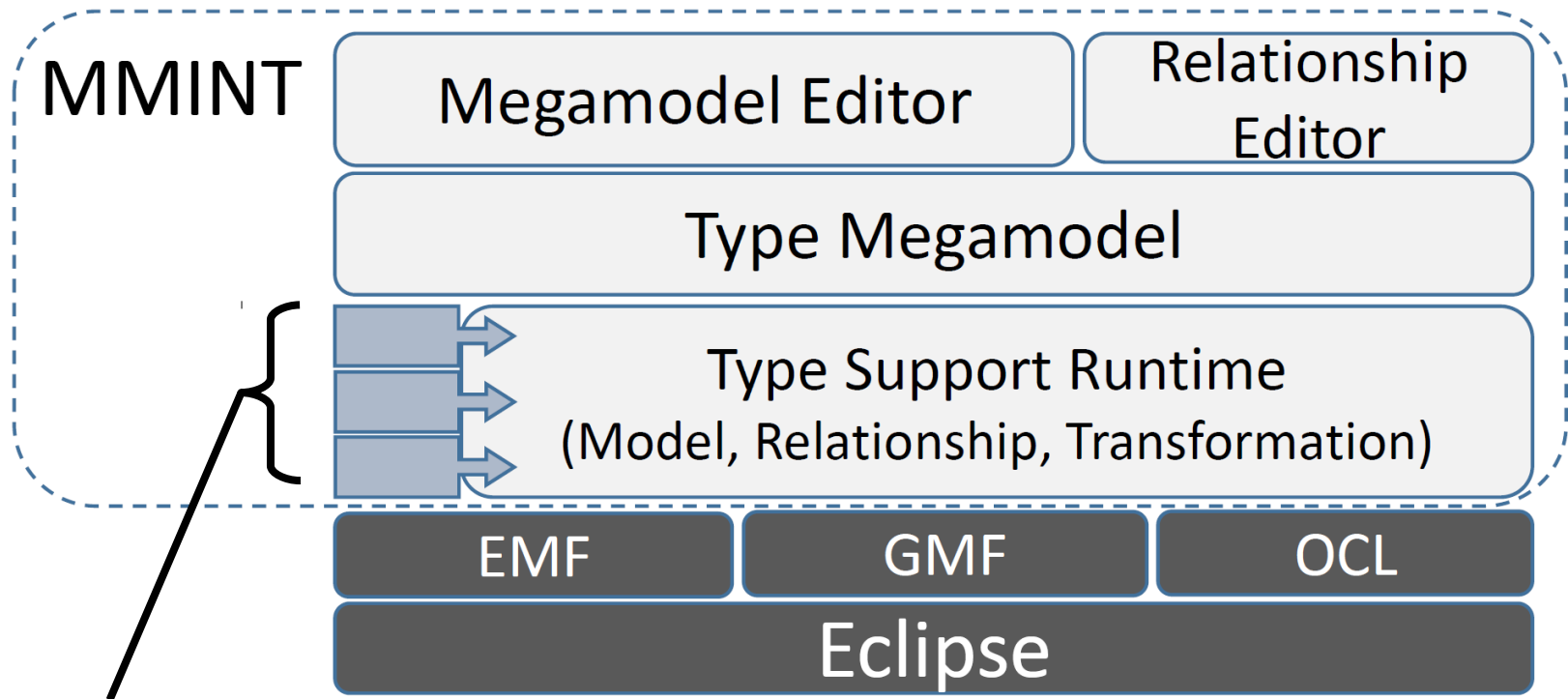
(Recall: **filter** $[\lambda x. x > 2]$ ($[1, 2, 3, 4]$) = $[3, 4]$)

Input: property P , megamodel X

Output: megamodel Y

```
1: let  $Y := \emptyset$ ;  
2: for ( $m \in X_{\text{Mod}}$ ) {  
3:   if  $P$  is a model property then  
4:     if  $m \models P$  then add  $m$  to  $Y$ ;  
5:   else add  $m$  to  $Y$  }  
6: for ( $r \in X_{\text{Rel}}$ ) {  
7:   if  $P$  is a relationship property then  
8:     if  $r \models P$  then add  $r$  to  $Y$ ;  
9:   else if  $r.\text{end} \cap Y \neq \emptyset$  then add  $r$  to  $Y$  }  
10: return  $Y$ ;
```

MMINT Workbench



Metamodels,
Model transformations,
Model editors

Results

- Experiments on Map

	# CDs	# rels	time (sec)	MID size (MB)
exp1	10	100	0.15	0.2
exp2	100	10000	12.92	20.7
exp3	250	62500	85.74	128.9
exp4	500	250000	422.78	518.7

- Complexity Analysis

$\text{map}[F](\{X\})$	$O(n^k \times C_F(m))$
$\text{reduce}[F](X)$	$O(n^2 \times C_F(m))$
$\text{filter}[P](X)$	$O(n^q \times C_P(m))$

Open Questions

- How can we improve the scalability of the operators?
 - E.g. Using extra meta-data about the megamodels
- What other megamodel operators might be useful?
 - E.g. **while** $P(MM)$ **do** $f(MM)$

Summary

- **Megamodels**
 - Mgraph representation
- **Collection-based Operators**
 - Map, Reduce and Filter
- **Open Questions**
 - Scalability improvements
 - Other useful operators