

CSC2108: Automated Verification

Assignment 2, part 2

Due: Wednesday, October 24, classtime.

Do not work on this part of the assignment in groups.

- Let the following two expressions be given:

$$\begin{aligned} x_1 \Rightarrow (x_2 \wedge (x_3 \vee x_4)) & \quad (exp_1) \\ (x_2 \vee \neg x_3) \wedge (x_1 \wedge x_4) & \quad (exp_2) \end{aligned}$$

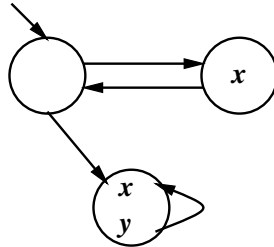
Let the order of variables $x_1 < x_2 < x_3 < x_4$ be given.

- Build BDDs for the two expressions, referring to them as BDD_1 and BDD_2 .
 - Compute $\text{Apply}(\wedge, BDD_1, BDD_2)$. You may compare your answers with computing $exp_1 \wedge exp_2$ and building a BDD from it (this is not part of the assignment – it is for your benefit only).
 - Compute $\text{Apply}(\vee, BDD_1, BDD_2)$.
 - Compute $\text{Quantify}(x_1, BDD_1)$, i.e., compute $\exists x_1 \cdot exp_1$.
- Prove the duality

$$\mu Z.f(Z) = \neg \nu Z.\neg f(\neg Z)$$

- Prove that $AF\varphi = \mu Z.\varphi \vee AXZ$, i.e., prove

- $\varphi \vee AXAF\varphi = AF\varphi$
- $\forall Y \cdot (Y = \varphi \vee AXY) \Rightarrow (Y \supseteq AF\varphi)$



- Consider this model:

- Compute the transition relation R for this model.
- Symbolically, compute the value of $AGEFy$. Check that the computation is correct by executing the explicit-state model-checking algorithm.
- Symbolically, compute EGy .