## Principles of Computer Networks <br> Tutorial 9

## Problem 1 Solution:

a)

|  |  |
| :--- | :--- |
| Router z | Informs $\mathrm{w}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=\infty$ |
|  | Informs $\mathrm{y}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=6$ |
| Router w | Informs $\mathrm{y}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=\infty$ |
|  | Informs $\mathrm{z}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=5$ |
| Router y | Informs $\mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=4$ |
|  | Informs $\mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=4$ |

b) Yes, there will be a count-to-infinity problem. The following table shows the routing converging process. Assume that at time t 0 , link cost change happens. At time t1, y updates its distance vector and informs neighbors w and z . In the following table, " $\rightarrow$ " stands for "informs".

| time | t 0 | t 1 | t 2 | t 3 | t 4 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Z | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=6$ |  | No change | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=11$ |  |
| W | $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=5$ |  | $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=10$ |  | No change |
| Y | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=4$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=4$ | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=9$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=\infty$ |  | No change | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=14$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=\infty$ |

We see that $\mathrm{w}, \mathrm{y}, \mathrm{z}$ form a loop in their computation of the costs to router x . If we continue the iterations shown in the above table, then we will see that, at t 27 , z detects that its least cost to x is 50, via its direct link with x . At t 29 , w learns its least cost to x is 51 via z . At t 30 , y updates its least cost to $x$ to be 52 (via w). Finally, at time t31, no updating, and the routing is stabilized.

| time | t27 | t28 | t29 | t30 | t31 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $Z$ | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=50$ <br> $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{z}}(\mathrm{x})=50$ |  |  | via $\mathrm{w}, \infty$ <br> via $\mathrm{y}, 55$ <br> via $\mathrm{z}, 50$ |  |
| W |  | $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=50$ | $\rightarrow \mathrm{y}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=51$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{w}}(\mathrm{x})=\infty$ | via $\mathrm{w}, \infty$ <br> via $\mathrm{y}, \infty$ <br> via $\mathrm{z}, 51$ |  |
| Y |  | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=53$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=\infty$ |  | $\rightarrow \mathrm{w}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=\infty$ <br> $\rightarrow \mathrm{z}, \mathrm{D}_{\mathrm{y}}(\mathrm{x})=52$ | via $\mathrm{w}, 52$ <br> via $\mathrm{y}, 60$ <br> via $\mathrm{z}, 53$ |

c) cut the link between y and z .

## Problem 2 Solution:

a) eBGP
b) iBGP
c) eBGP
d) iBGP

## Problem 3 Solution:

a) I1 because this interface begins the least cost path from 1d towards the gateway router 1c.
b) I2. Both routes have equal AS-PATH length but I2 begins the path that has the closest NEXTHOP router.
c) I1. I1 begins the path that has the shortest AS-PATH.

## Problem 4 Solution:

The minimal spanning tree has $z$ connected to $y$ via $x$ at a cost of $14(=8+6)$.
$z$ connected to $v$ via $x$ at a cost of $11(=8+3)$;
$z$ connected to $u$ via $x$ and $v$, at a cost of $14(=8+3+3)$;
$z$ connected to $w$ via $x, v$, and $u$, at a cost of $17(=8+3+3+3)$.

## Problem 5 Solution:



The thicker shaded lines represent The shortest path tree from A to all destination. Other solutions are possible, but in these solutions, B can not route to either $C$ or $D$ from $A$.

