Subcategorial considerations in statistical categorial parsing

Aditya Bhargava



Syntactic structure in NLP

Meaning is what we want

When was the dog-wolf genetic split?

between 27,000 and 40,000 years ago

"Text Bob, 'How to recognize speech?"

"Texting Bob, 'How to wreck a nice beach"

I would like eight pizzas, please

मुझे दो पिज्जा चाहिए

Meaning is what we want	
When was the dog-wolf genetic split?	between 27,000 and 40,000 years ago
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I would like eight pizzas, please	मुझे दो पिज्जा चाहिए

How can syntax help?

Syntax: a vehicle for semantics

Book a train from Toronto to Montréal

vs.

Book a train from Montréal to Toronto

Categorial grammars (CGs)

- CG categories can "be thought of as a shorthand for the semantics" (Ades and Steedman, 1982)
- Rules have semantic correspondences as well
 - E.g., CCG composition: **B**= $\lambda abc.a(bc)$
- CG derivations carry semantics

CG lexical categories vs. parts of speech

Ν	\mathbf{CC}	\mathbf{PRP}
	$^{ m CD}$	RB
N/N	DT	RBR
NP_{nb}/N	$\mathbf{E}\mathbf{X}$	RBS
(NP NP)/NP	$\mathbf{F}\mathbf{W}$	RP
	IN	SYM
((S NP) (S NP))/NP	JJ	ТО
Conj	JJR	UH
	JJS	VB
NP	\mathbf{LS}	VBD
PP/NP	MD	VBG
	NN	VBN
$(S\NP)\(S\NP)$	NNS	VBP
((S NP) (S NP)) / ((S NP) (S NP))	NNP	VBZ
$(((S\NP)\(S\NP))\((S\NP)))/(P)$	NNPS	WDT
$\left(\left(\left(O\left(1\mathbf{N}\right)\right)\left(\left(O\left(1\mathbf{N}\right)\right)\right)\left(\left(O\left(1\mathbf{N}\right)\right)\left(\left(O\left(1\mathbf{N}\right)\right)\right)\right)\right)$	PDT	WP
	POS	WP\$
	PRP	WRB

CG lexical categories vs. parts of speech

Ν	$\mathbf{C}\mathbf{C}$	\mathbf{PRP}
	CD	RB
N/N	DT	RBR
$\mathrm{NP}_{\mathrm{nb}}/\mathrm{N}$	$\mathbf{E}\mathbf{X}$	RBS
$(NP \setminus NP) / NP$	$\mathbf{F}\mathbf{W}$	RP
	IN	SYM
((S NP) (S NP))/NP	JJ	ТО
Conj	JJR	UH
· · · · · · · · · · · · · · · · · · ·	JJS	VB
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((S NP) (S NP)) / ((S NP) (S NP))	NNP	VBZ
$(((S\NP)\(S\NP))\((S\NP)))/NP$	NNPS	WDT
	PDT	WP
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Statistical LCG & CCG parsing

- LCG parsing: non-statistical only
 - No corpus until LCGbank (Fowler, 2016)
 - Relevance of category structure in proof nets (Roorda, 1991; Penn, 2004; Fowler, 2010)
- CCG parsing: lacking in consideration of category structure
 - Early work in the context of statistical methods for other formalisms (e.g., Hockenmaier, 2001; Clark, 2002)
 - \circ Still-influential statistical CCG parser (Clark and Curran, 2007)

Subcategorial information in CG lexical categories is useful for statistical parsing

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1. Supertagging with CCG primitives

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- 1. Supertagging with CCG primitives
- 2. Proof net structure for neural LCG parsing

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- 3. Decomposed scoring of CCG dependencies

Contributions

- Subcategorial supertagging improves:
 - Supertagging accuracy
 - \circ Parser F_1
 - Parser coverage
- Subcategories allow for more effective use of prediction history
- Enables OOV category prediction

- 1. Supertagging with CCG primitives
- 2. Proof net structure for neural LCG parsing
- 3. Decomposed scoring of CCG dependencies

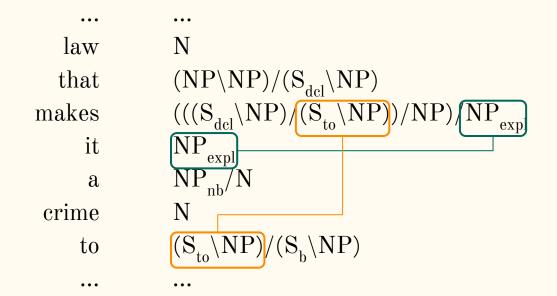
Category internals are useful for supertagging

•••	•••
law	Ν
that	$(\mathrm{NP}\backslash\mathrm{NP})/(\mathrm{S}_{\mathrm{dcl}}\backslash\mathrm{NP})$
makes	$(((S_{dcl} \setminus NP)/(S_{to} \setminus NP))/NP)/NP_{expl})$
it	NP _{expl}
a	NP_{nb}/N
crime	Ν
to	$(S_{to} \backslash NP) / (S_{b} \backslash NP)$
•••	

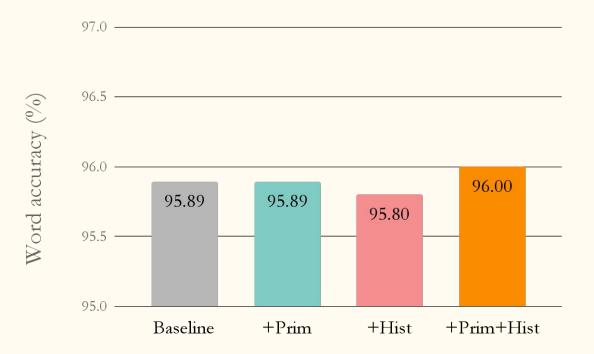
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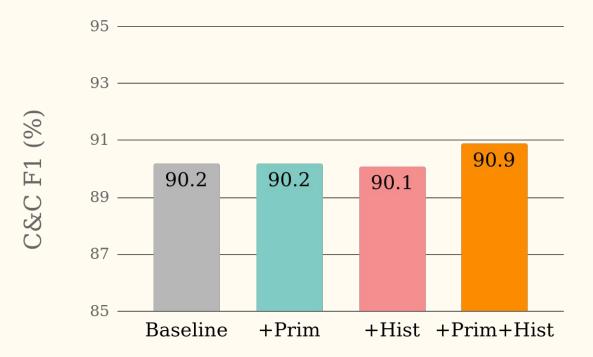
Category internals are useful for supertagging



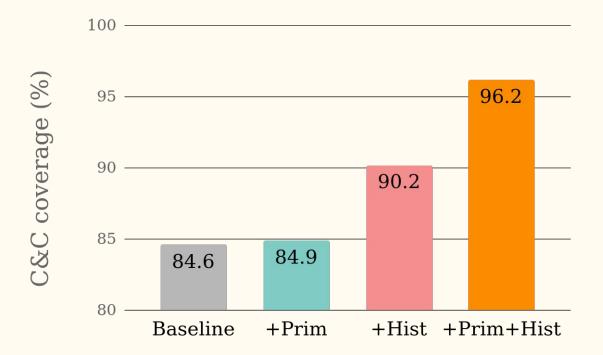
Supertagging word accuracy



C&C parser F₁



C&C parser coverage



Contributions

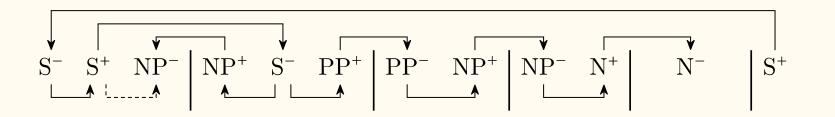
- First statistical LCG parser
- Proof net parsing with lexical decomposition
- Novel loss functions and structural constraints
 - $\circ\quad \text{Increase parser performance}$
 - \circ $\;$ Enable training without ground truth $\;$

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LCG proof nets

LCG parsing with proof nets: validity conditions

- T1. Linkage must be half-planar
 - No crossing edges in half-plane above vertices
- T2. No regular cycles (solid edges)
- T3. Each Lambek edge must have regular path between its vertices $_{(\rm dashed\ edges)}$



LCG parsing with proof nets: validity conditions

- T1. Linkage must be half-planar
 - No crossing edges in half-plane above vertices
- T2. No regular cycles (solid edges)
- T3. Each Lambek edge must have regular path between its vertices (dashed edges)

Each condition can be expressed as a differentiable function of the graph—no ground truth linkages needed

Parsing performance

Condition	Link Acc	Sent Acc	Coverage
Base	97.7	86.2	97.3
Enhanced model	97.9	87.4	98.4
Enhanced model $+$ losses	97.9	87.2	98.7

Training without ground truth

Condition	Link Acc
Enhanced model + losses	91.2
—T1 loss	84.5
-T2 loss	72.9
-T3 loss	70.6
—Link filter	73.9
—planar attention — T1 loss	19.2

Training without ground truth

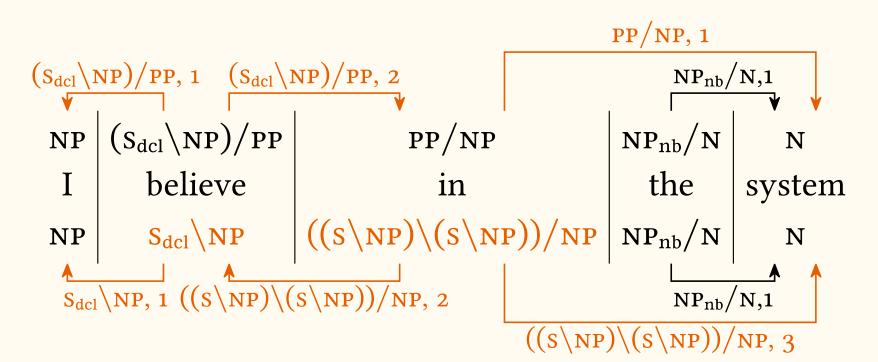
Condition	Link Acc	
Enhanced model + losses	91.2	
—T1 loss	84.5	All planarity
-T2 loss	72.9	/ information
-T3 loss	70.6	/ removed
—Link filter	73.9	/
—planar attention — T1 loss	19.2	

Contributions

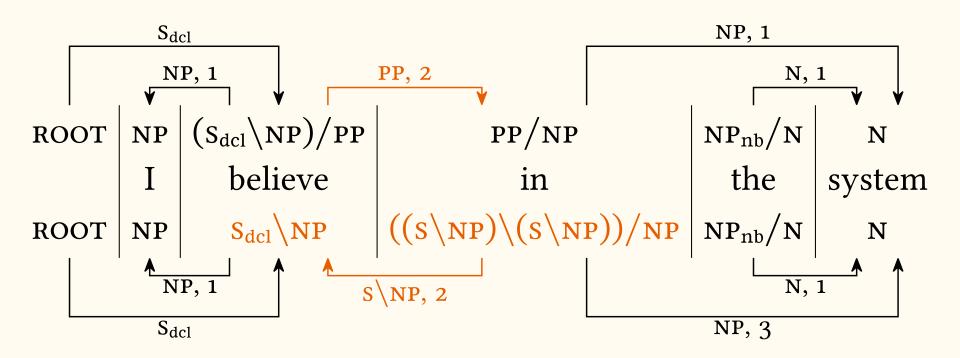
- Decomposed scoring fixes cases of error amplification
- Systematic human validation of statistical parsing scoring method
 - \circ Expert judges find in favour of decomposed scoring (overall)
 - \circ $\;$ Raises questions about the validity of aggregated parser scores $\;$

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CCG dependency evaluation



Decomposed scoring



Expert judgements

- Intrinsic task: direct comparison of scoring methods
 - \circ $\;$ Strong agreement among judges in favour of decomposed scoring
- Extrinsic task: pairwise rank inversions
 - \circ $\;$ Overall agreement among judges in favour of decomposed scoring, but...
 - \circ $\;$ High disagreement: 50% ties in pilot study; 24% ties in main study

Future directions

End-to-end categorial parsing

- End-to-end systems pass training signals from output back to original input
 - \circ $\;$ Would be helpful for parsing errors to propagate back to supertagging decisions
- Recent "end-to-end" parsers aren't truly end-to-end (Kasai et al., 2018; Kogkalidis et al., 2020)
 - \circ $\;$ Better described as "joint" or "multi-task"
- Tighter coupling between subcategorial supertagger and parser

Mildly context-sensitive proof nets

- LCG is weakly CF-equivalent
- Phenomena in some languages are known to be trans-CF (Bresnan et al., 1982; Huybregts, 1984; Shieber, 1985)
- Development of proof nets for CCG (Buch, 2009)
- Encoding of proof net conditions for MCS extension of LCG (Komatsu, 2021)

Low-data/unsupervised categorial parsing

- Recent unsupervised parsers have relatively *ad hoc* structure (Drozdov et al., 2019)
 - $\circ \quad {\rm Advantages \ of \ formalism-driven \ structure \ unexplored}$
- Novel loss functions suggest a path to structured learning from unlabelled data
 - $\circ \quad {\rm Structural\ constraints\ may\ help\ lower\ data\ requirements}$

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