Auto-tagging music with a discriminative RBM

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work done with

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Auto-tagging

- The increased amount of music easily available online requires better tools for searching and exploring
- Tags (short textual description given by users like rock, guitar, rhythmic, etc.) proved to be a popular solution
- Tags lead to the cold start problem for items that are new or niche, which can be solved by auto-tagging

Restricted Boltzmann Machines

• The RBMs is an energy based model where

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$$p(v,h) = \frac{1}{Z} e^{-E(v,h)} \text{ given that}$$

$$E(v,h) = -h^T U v - c^T h - d^T v, \quad Z = \sum_{v,h} e^{-E(v,h)}$$

$$F(v) = -\log \sum_h e^{-E(v,h)} = -d^T v - \sum_i \log(1 + e^{c_i + U_i v})$$

$$\frac{\partial}{\partial \theta} p(v_i) = -E_{h|v_i} [\frac{\partial}{\partial \theta} E(v_i,h)] + E_{v,h} [\frac{\partial}{\partial \theta} E(v,h)]$$

Restricted Boltzmann Machines

• RBMs can be conditioned on other variables (**a** in this case) by changing the energy function to (Taylor et al. 2007): $E(a, x, h) = -a^T U x - h^T W x - c^T h - d^T x$



Tag smoothing

 Idea : extend the set of tags attached to a clip based on already provided tags



Restricted Boltzmann Machines

• RBMs can model the joint distribution between x and y by changing the energy function to :



Discriminative RBMs

- Idea : minimize the discriminative log-likelihood instead of the generative log likelihood $L_{disc}(D_{train}) = -\sum_{i=1}^{|D_{train}|} \log p(y_i|x_i)$
- When y can take only a few values (as in normal classification tasks), the gradients can be computed exactly (see Larochelle et al 2008)
- Hybrid models can be obtained by summing the two costs as:

$$L_{hybrid} = L_{disc} + \alpha L_{gen}$$

Multi-label Discriminative RBMs

• Tags are not mutually exclusive, making exact computation of the gradient intractable

$$\frac{\partial}{\partial \theta} p(y_t | x_t) = -E_{h|y_t, x_t} \left[\frac{\partial}{\partial \theta} E(x_t, y_t, h) \right] + E_{y, h|x_t} \left[\frac{\partial}{\partial \theta} E(x_t, y, h) \right]$$

 We approximate the second expectation using Contrastive Divergence, mean field Contrastive Divergence, and loopy belief propagation. We also compare a similar computation that maximizes the pseudo-likelihood.

Approximations

Contrastive Divergence proposes to replace the expectation E_{y,h|x_i} by a point estimate at a sample obtained by running a Gibbs sampling initialized at y for K iterations.

 Mean-Field Contrastive Divergence is just a non-stochastic alternative where samples are replaced by expectations.

Approximation example : Contrastive Divergence

Algorithm 1 Discriminative RBM training update using Contrastive Divergence.

Input: training pair (\mathbf{y}, \mathbf{x}) , number of iterations K and learning rate λ # Positive phase $\mathbf{y}^0 \leftarrow \mathbf{y}, \, \widehat{\mathbf{h}}^0 \leftarrow \operatorname{sigm}(c + W\mathbf{x} + U\mathbf{y}^0)$

Negative phase (we are doing CD-K here) for K iterations do $\mathbf{h}^k \sim p(\mathbf{h}|\mathbf{y}^k, \mathbf{x})$ $\mathbf{y}^{k+1} \sim p(\mathbf{y}|\mathbf{h}^k)$ $\widehat{\mathbf{h}}^{k+1} \leftarrow \operatorname{sigm}(c + W\mathbf{x} + U\mathbf{y}^{k+1})$ end for

Update
for
$$\theta \in \Theta$$
 do
 $\theta \leftarrow \theta - \lambda \left(\frac{\partial}{\partial \theta} E(\mathbf{y}^0, \mathbf{x}, \widehat{\mathbf{h}}^0) - \frac{\partial}{\partial \theta} E(\mathbf{y}^K, \mathbf{x}, \widehat{\mathbf{h}}^K) \right)$
end for

Approximations

 Loopy belief propagation is a popular algorithm for approximating the associated marginals required by the expectation :

$$p(y_j=1|x), p(h_k=1|x), p(y_j=1,h_k=1|x)$$

 The final approximation replaces the loglikelihood by a pseudo-likelihood objective that allows computing the gradient exactly:

$$\log PL(\mathbf{y} \mid \mathbf{x}) = \sum_{j} \log p(y_j \mid \mathbf{y}_{\setminus j}, \mathbf{x}) = \sum_{j} \log p(\mathbf{y} \mid \mathbf{x}) - \log \left(p(\mathbf{y} \mid \mathbf{x}) + p(\tilde{\mathbf{y}}_j \mid \mathbf{x}) \right)$$

Tools

- Theano home grown python library for numerical computations with a focus on machine learning
- http://deeplearning.net/software/theano
- Deep Learning Tutorials exemplification of how Theano can be used to implement deep learning architectures
- http://deeplearning.net/tutorial



Data-sets

- 10 second clips were tagged among other things in terms of genre, emotion, instruments and overall production
- First dataset was obtained using Amazon.com's Mechanical Turk service and resulted in collecting 15500 (user,clip,tag) triplets from 210 unique users for 925 clips taken from 185 songs
- Second dataset was collected from the MajorMinor music labelling game. The set contains 80000 (user,clip,tag) triplets with 2600 unique clips, 650 unique users and 1000 unique tags

Data-sets

- The third dataset was collected from Last.fm's website and contains about 7 million (user,track,tag) triplets from 84000 unique users, 1 million unique tracks. We used a subset of only 1.5 million (user,track,tag) triplets
- We used timbral and rhythmic features to describe the audio
- The timbral features are the mean and rasterized full covariance of the clip's mel frequency cepstral coefficients

Data-sets

- The rhythmic feature are based on modulation spectra in four large frequency bands (closely related to the auto correlation in those bands)
- The metrics used to measure the performance is the Area under the ROC (Receiver operating characteristic) curve.
- A random ranking will achieve an AROC of 0.5, while a perfect ranking will give a score of 1.0

Results



Results – Mechanical Turk data



Results – MajorMinor data



Results – Last.fm data



Summary

- We used RBMs to enhance a data-set by smoothing the already existing tags
- We further extended the concept of discriminative RBMs to multi-label problems, by approximating the gradient
- We tried four different approximations, contrastive divergence, mean-field contrastive divergence, loopy belief propagation and pseudo-likelihood

Thank You !

References

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